-: HAND WRITTEN NOTES:-

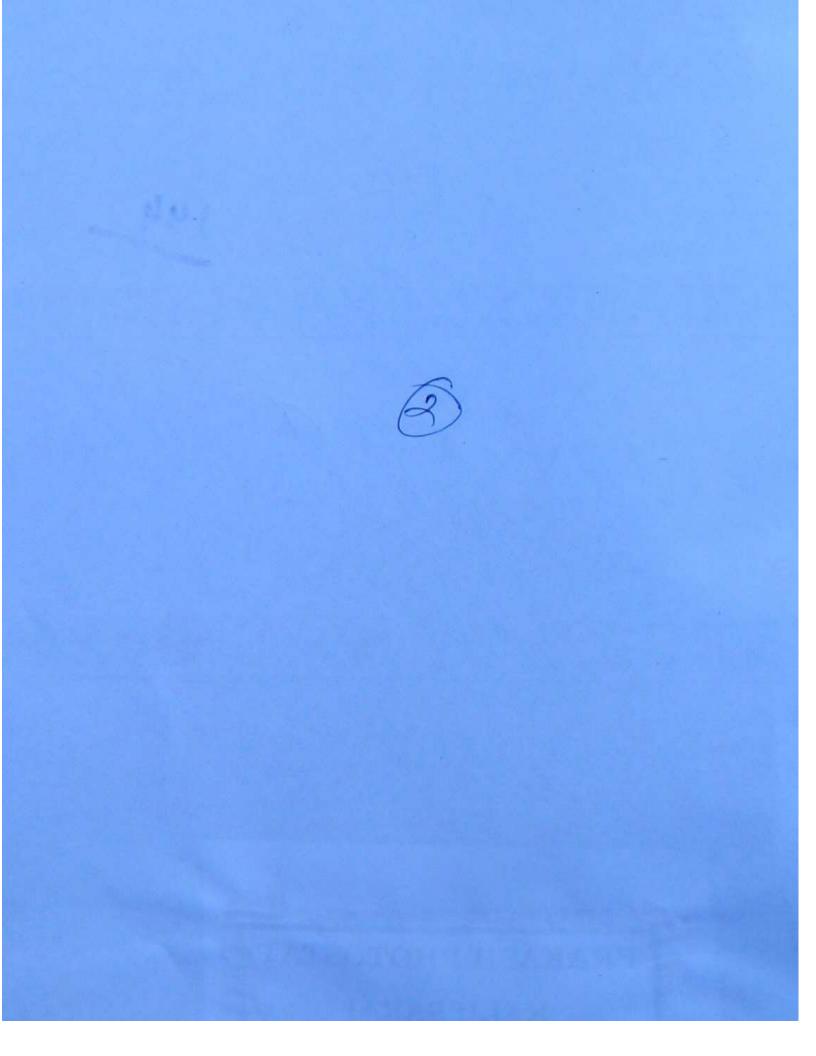
OF

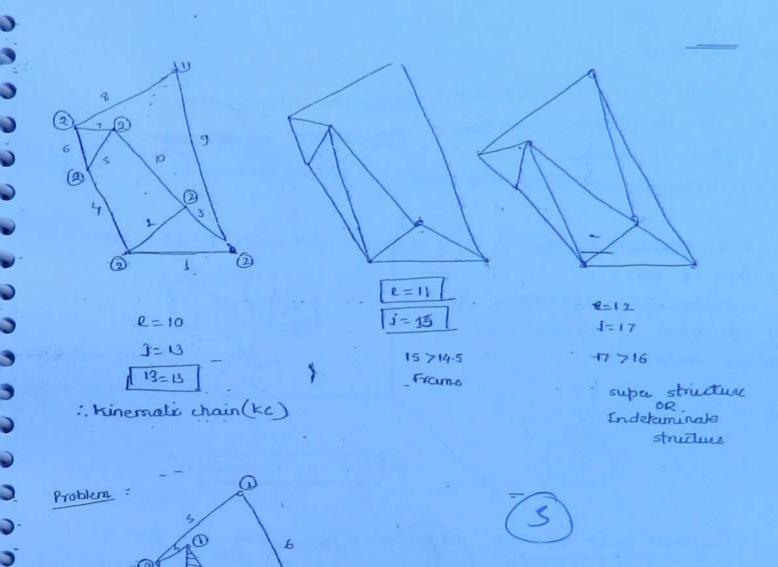
144

## MECHANICAL ENGINEERING

-: SUBJECT:-

# THEORY OF MACHINES

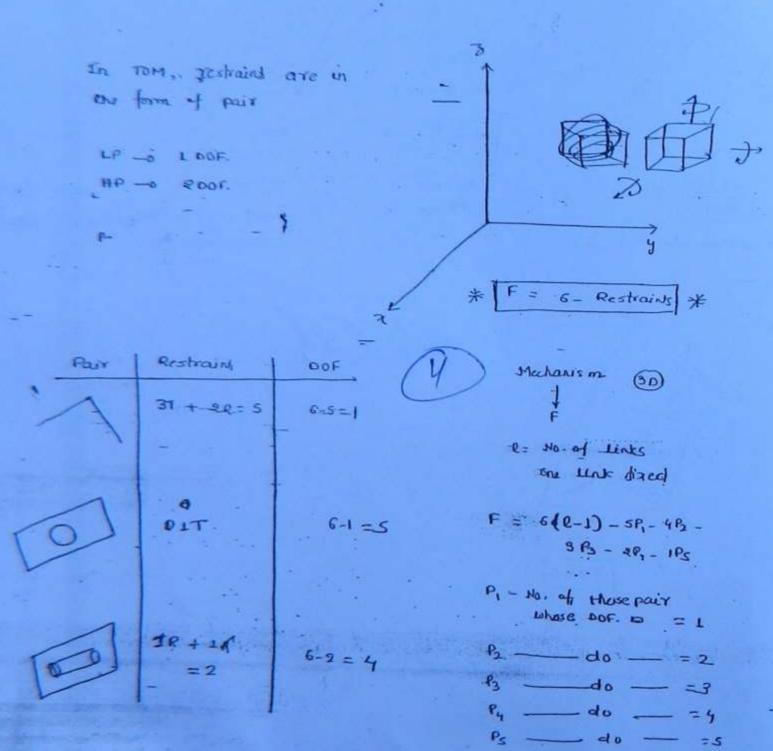




1=7: j=9

Frame

the minimum no: of independent parameters require to define the the position or motion of the system is known as begrees of Freedom.

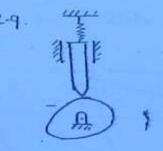


3) According to the type of clousre:

a> self closed Abir Cclosed Abir):-

Permanent contact. . thorizingspore , but bearing, cylinder & platon

B> Forced closed Pair (Unclosed Pair): - Forceful contact



eq. automatic which operating system.

cam and follower



\* kinematic chain .-

If all the links are connected in such a way that first link is connected to the last link to form a closed chain and the relative motion between any two links is the constrained motion and such a chain is known as kinematic chain as

when one of the link of the kinematic chain is fixed it becomes a mechanism which can give desired output with some given input.

A mechanism by groups of mechanism when ultilized and when dise desired output is obtained it becomes a machine.

- Conditions for the kinematic chain :-

P = 4p - 4 P = 40.0 of kinematic Pairs

wheir,

7-(30-3)

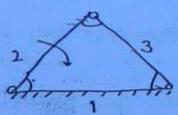
h = No. of higher pair

where j = 40. of Binary joints

finner on the second

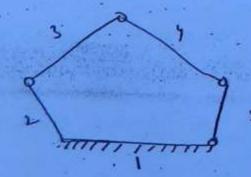
Kinematic chain.

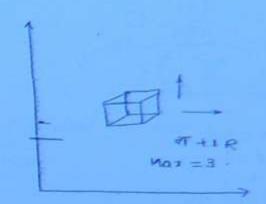
Ho relative motion Frame/structure



only force can be transmitted.

Relative motion







(Radundent degree of freedom)

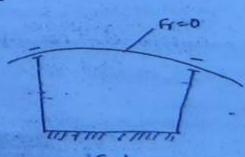
Those independent motions which are not the part of the mechanism

Pb

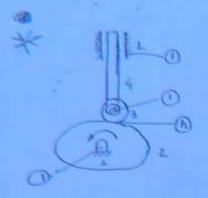
Ans F'- 0

F= 312-) - 2xj- R = 3 (4-1)-2x4-0 = 1 -Fr = 0,

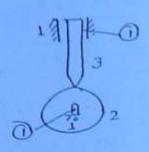
Pb.



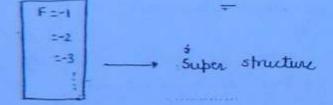
F=L



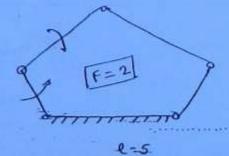
Pb.



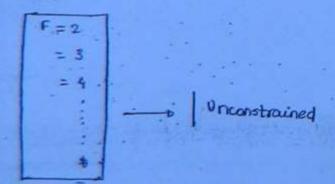
If [F=0] - Frame/structure



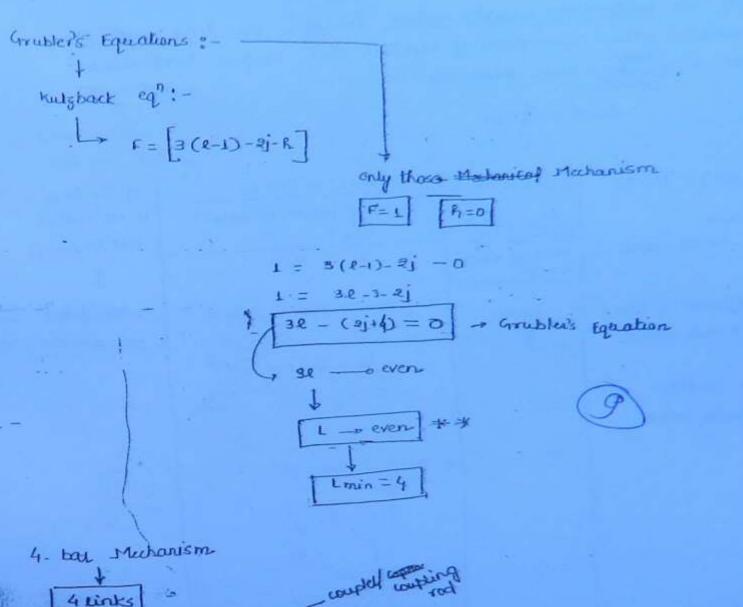
F=1 \_\_\_\_ kinematic chain



5-5 4=0 F=2



Note: por of a mechanism is equal to the no of inpack required to so get a constrained output



4 Links + 4TP

2/1/0 /12 o/2.

i/o

#

wortlete Rotation → Crant

Partial Rotation → Rockes/ Leves

Oscillation

- 1. Double trank- Mechanism
- 2. Crank-Racker Mechanim
- 3. Double Rocker Mechanism

4 Grashof's law :-

not be greater than other two links.

(5+0) E (P+9)

1. 5-fixed	(Stl) = (Pea)  8. 5 34  not having mans of equal tength	having pairs of equal length.	is not satisfied  (SHE)> (P-19)
2. 5 adjusent to fixed  — crank-rockes.  3. 5 → comples  Double rockes.	Same	1. Parallelog ram linkg e  Double  Stark in  e  stark in  case	south reckel
	-	s' dized - Dauble crank	
		& fixed - Grant Rocker	The state of

1. Coupling Rod of Locomotive:

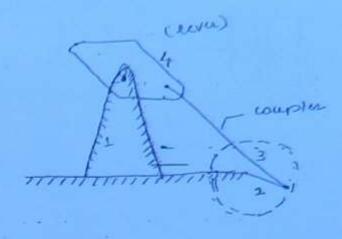
A bal

Double erant

bring priven (Trailing)

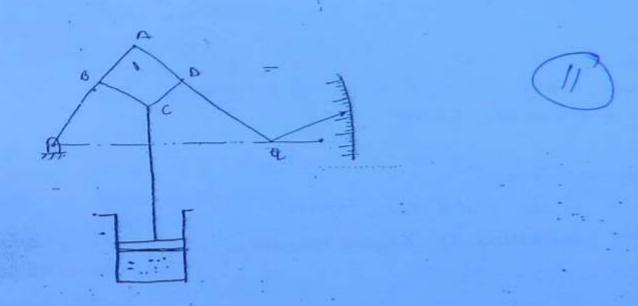
4 bal

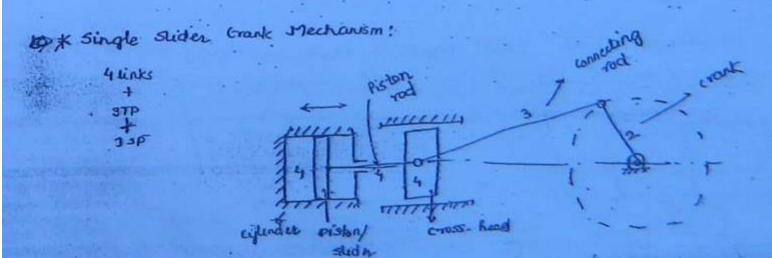
Rot-roscillation

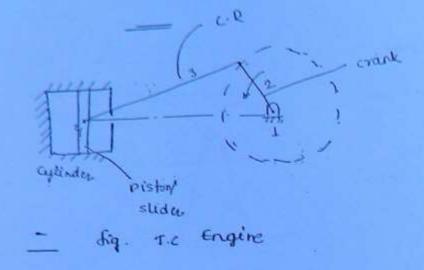


3) Watt's Indicator Mechanism: \* \*

Oscillation — oscillation (Double Rocket Mechanism)







p - Cylinda fixed :-

Rot and Reciprocalina

0 (1) \_\_\_\_\_ Receiprocating Engine

(i) - (0) - 11

tombression comp

- Crant fixed 8-

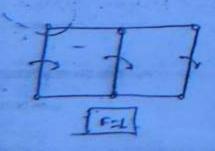
Lo withworth QRHM.

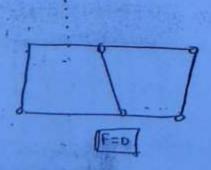
- connecting Rod fixed

Lo escillating by. Engine Mechanism

stide fixed: -

Hard Pump (Bull Engine) ( Pendulum Pump).





#### > lutting (Forward)

stroke :-

RRS

3) 962

=> ZGM

=> 2 (AG) 454/2\_

=> 2 14.081

2 (AC XOB)

B - cutting angle a - Return stroke

angle

d/B

B+0 = 860°

P/d > Quick Return Ratio

(Always 71)

stroke a 2 ( length of statted Banc) × (length of crant) length of connecting

-single- stider

trank inversion fig. Crank and stated level

Motion is frotion to oscullation Totation.

shortest link is fixed i.e., crank

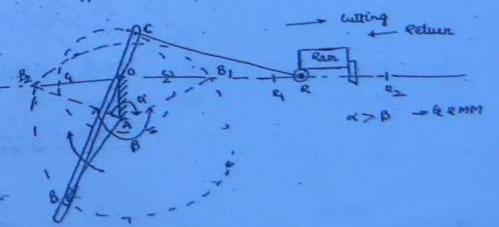
\* Withworth QRMM :-

AB -+ priving. crank stroke: RIR2

2 2 (00)

=> 962

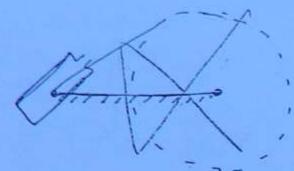
Motion is rotation is to rotation



frial and link . RRMM

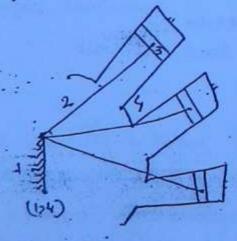
. single stider crank mechanism

metion is rotation to oscillation.



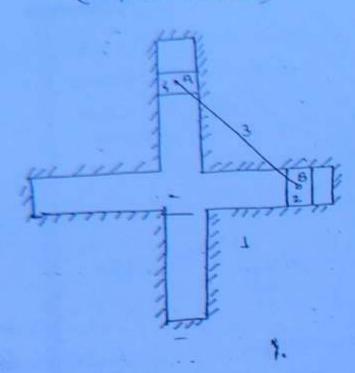
Rotary Internal Combution Engine (GNONE ENGLINE):

. Input link is piston and ofp link is cylinder block.

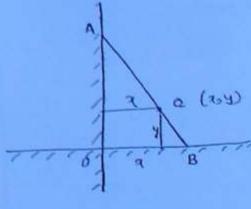


9 cylindes 9 cylindes 970 mounted Hand : Pump :-Plunger Plunga stidet stiden brank chain :-4 Links + 2TP can be obtained. Chree inversion + 25P

I. Stated Plate Fixed:-



obtain a circle.

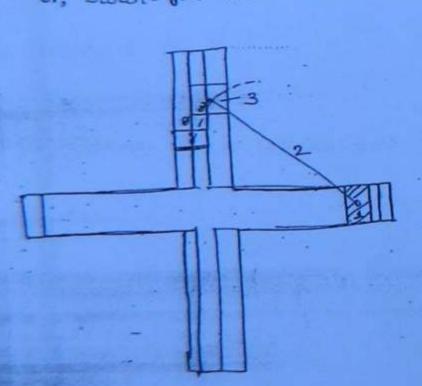


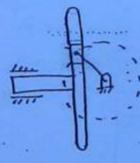
$$\sin \theta = \frac{y}{Bq}$$
  $\cos \theta = \frac{x}{AB}$ 

or, 
$$\frac{y^2}{84^2} + \frac{\pi^2}{48^2} = 1$$
Ellipse

(6)

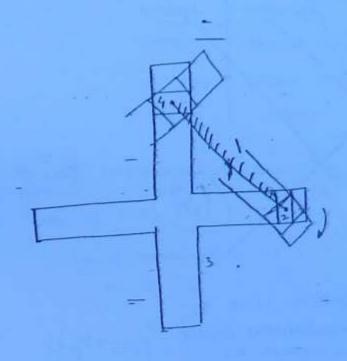
2. Any of the stide is fixed: or, Scotch-Yoke Mechanism (Rot ← o Reciprocation)





3. Link connecting states is fixed:

"This coupling is basically used to connect the two shaft which has





### Instantaneous centre of Rotation:

In general a motion of a Link in a mechanism is neither purely translational nor purely rotational it is that combination of branslation and rotation, which is the general motion but the

whole link at any movement of can be assumed to be in perfect rotation with to a point in the space known as Instantaneous centre of notation. this point is also known as

 $D_{AB} = \frac{V_A}{AT} = \frac{V_B}{6T}$ 

Virtual Centra. At t = tidt

centrode

As the link is in motion its - I centre keeps on changing the locus of the I centre for a particular link during its whole

motion is known as centrade of the link.

The Lower of instantaneous axis of rotation for a particular link during its whole motion is known as Axode of the link

Centrode	Axode
tuive	curved surface
st. Line	Plane surface
Point	line

No. of instantaneous (entres in the Mechanism:-

No. of Combinations i.(.

No. of 
$$TC = {}^{l}C_{2} = \frac{2(l-1)}{2}$$

45 46

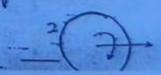
56

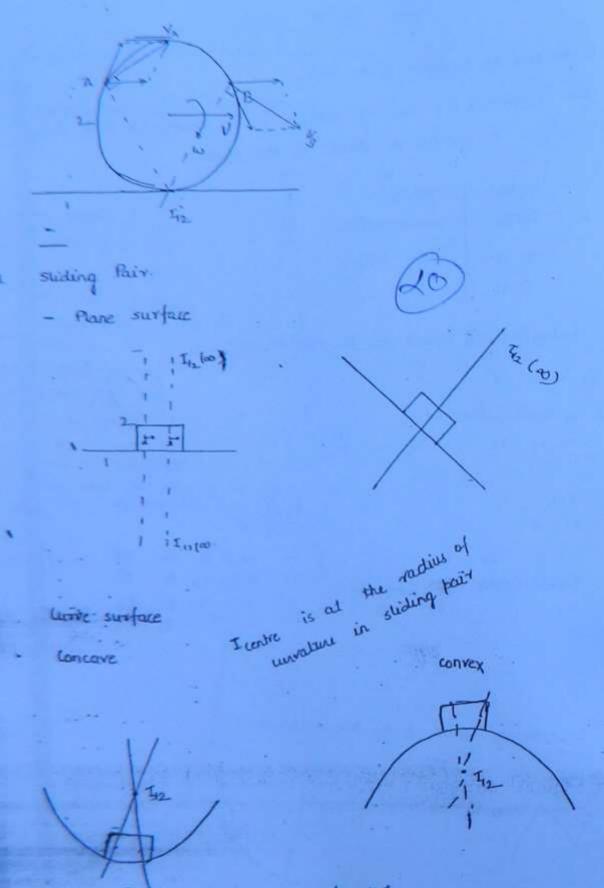
Q = E

\* Bask Instantaneous centre in the too mechanism .-

34

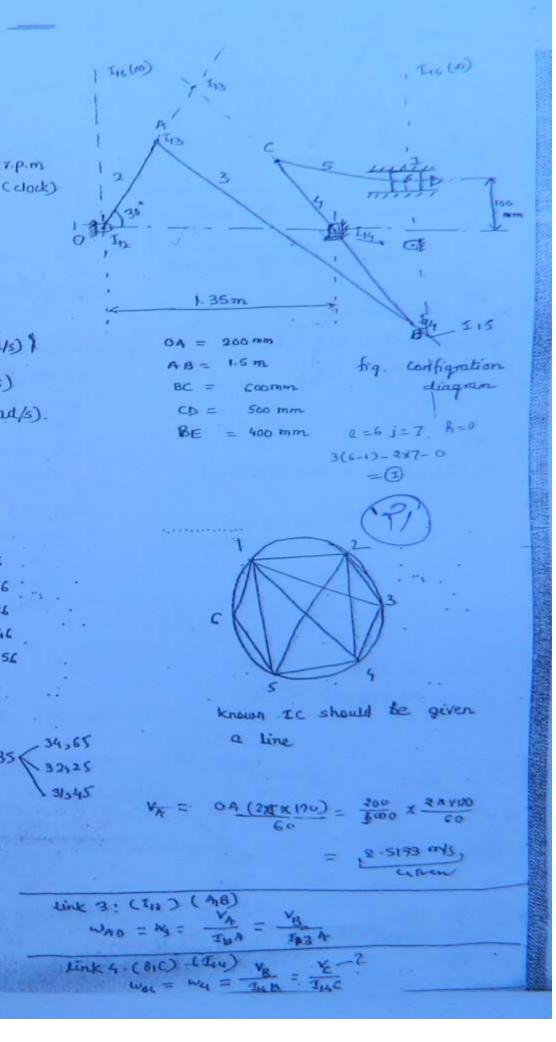
2. Rolling Pair :-

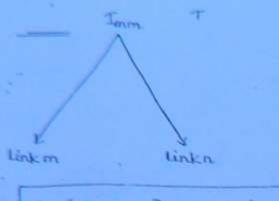




should be in a straight Line for the relative motion in a mechanism -> Kenedy Churems

25,56





Angular vidocity theorem

(LM) (LM)

straight line

(22)

ω2 ( I25 I12) = ως ( I25 I15)

25

24 W2 (I24 I12) = W4 ( I24 I14)

45 wy (I45 II4) = ws (I45 I14)

10k2 10k6  $10_{2}(1_{26}T_{12}) = V_{b}$ 

Note:
If the of Ic of a

Link is in all same

side of fixed link (i.e., 1)

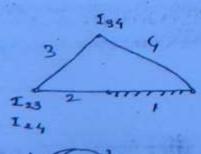
the direction is same

otherwise opposite

Les on the came side of mn the direction is same otherwise opposite.

78 06 2011.

 $\frac{20/2-4}{4}$   $\frac{1}{4}$   $\frac{1}{4}$ 



بُلِي أ

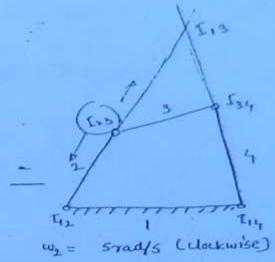
114, I 13

23 (angular velocity theorem)

102 (123 112) = 103 (125 113)

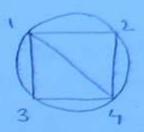
2xa = 103 (8a

13 = 1 rad/s.



was the radius

what will be the angular velocity of links with links

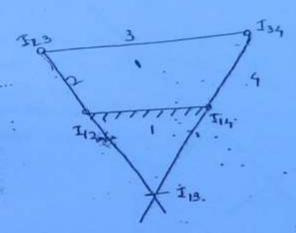


30

$$w_{13} = w_2 - w_3$$
  
=  $(\tau^5) - (-14)$   
= +19  
= 19 (clackwise)

(23)

, Pb.

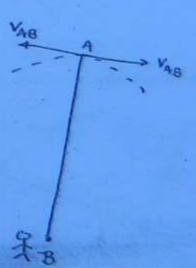


 $\omega_{23} = +5 - (+14)$ = -9 = 9(Ac).

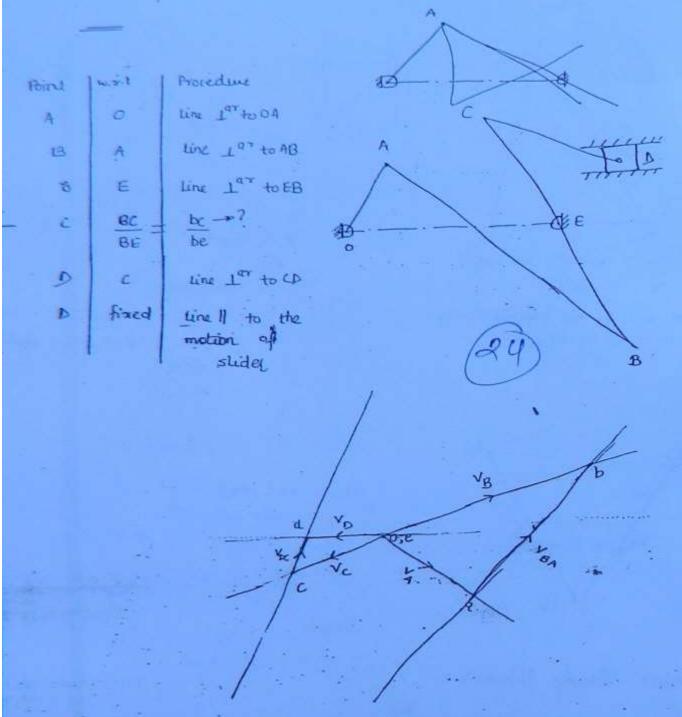
Relative Velocity Approach :-

Velocity of point 1 with 8 will be in the direction

to the link AB

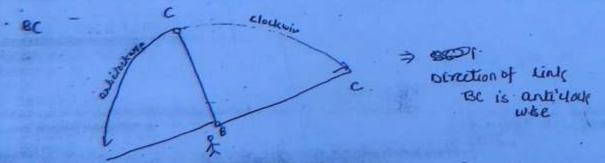


fault - Fin



For direction.

- See the configuration diagram



Simple Mechanisms :-

-sle

. First farmonic Motion - Simple Harmonic Motion · all the first mechanism is simple mechanism

- link ! -Every part of a machine which is floring relative motion with respect to some other part is known as hinematic link or element

Hole: - It is not necessary for the link to be rigid only but it is necessary for the link to be a resistant body so that it is capable of transmitting power from one body to the other 2000 bocty.

rubber - Heritality /

Types of link :- 1

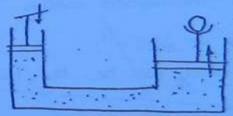
1) Rigid link: deformations are negligible negligible e.g., piston commercing not

2> Flexible lint: deformations are there but they are permissible some eq bett drive, robe drive etc.

3) Thuid link:

sometimes poly power is bransmitted - because of the fluid pressure in that case fluid behaves like a link, eq. hydraulic break, coupling,

Jack, bress, crane, lift



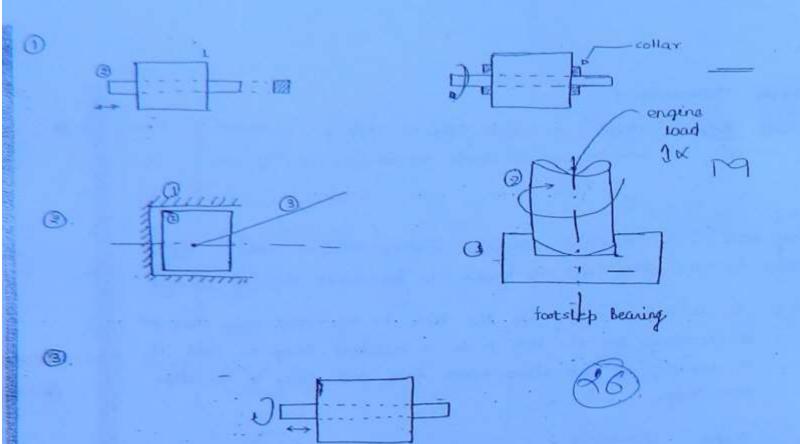
Types of Relative motion:

1> completely constrained motion: (self).

Successfully constrained motion:

constrained? Desired (only one autput tudar . 1 fru

Incompletly constrained motion: I unconstrained: (shore than one autout at some



the connection between two links is always a joint or a pair but this bour is said to be kinematic pair if the relative motion between the links is the constrained motion.

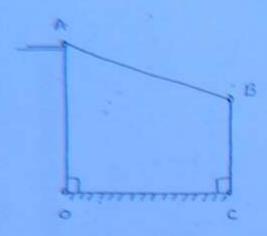
Incompletely constrained motion

Every hinematic pair is, a pair or joint ...

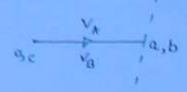
· But every pair or joint may or may not be the kinematic pair.

\* Types of joints:-Binamy joints:,

Pb. 2 AB = ISOmm 00 = 700 mm DE = 200 mm 300mm crank AB Lo 1207-p.m (anti-dockwise) get YE= ? (2.15 on/s). 400 mm Point B Point c coinci dent stidel point of Procedure point w. Y. t point 8 but on slotted line 11 to slotted Bar B C bar Nine 198 to slotted Bar C 0 VED VX



1. Velocity diagram: -



.. Velocity diagram is a straight line

$$\varphi$$
.  $\left[ V_{A} = V_{B} \right]$ 

(8)

 $\omega_{AB} = \frac{V_{AB}}{AB} = 0 \Rightarrow pure$ branslation

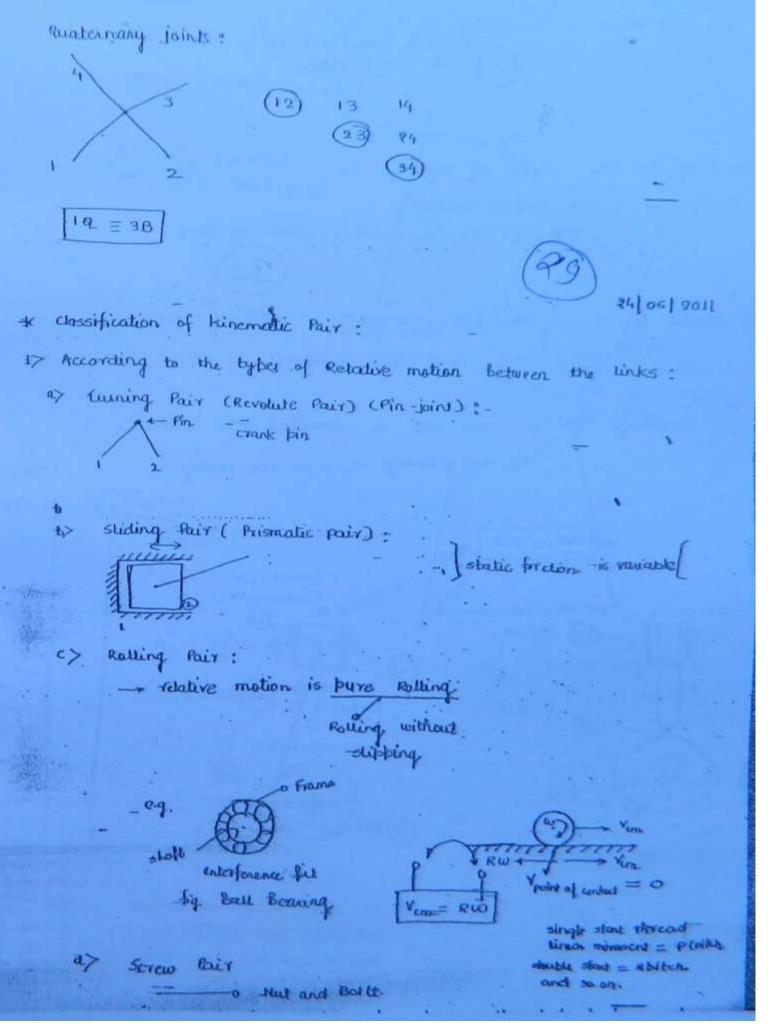
4. 
$$0A = 3 cm$$
  $\left[\begin{array}{c} \omega_{0A} = 2 \text{ rad/s} \\ \omega_{BC} = 2 cm \end{array}\right] \left[\begin{array}{c} \omega_{0A} = 2 \text{ rad/s} \\ \omega_{BC} = 9 \end{array}\right]$ 

$$V_A = V_B$$

$$\omega_A \cdot \tau_A = \omega_B \cdot \tau_B$$

$$3 \cdot v_A = 2 \cdot v_B$$

$$v_A \cdot v_B = 3 \cdot rad/s$$



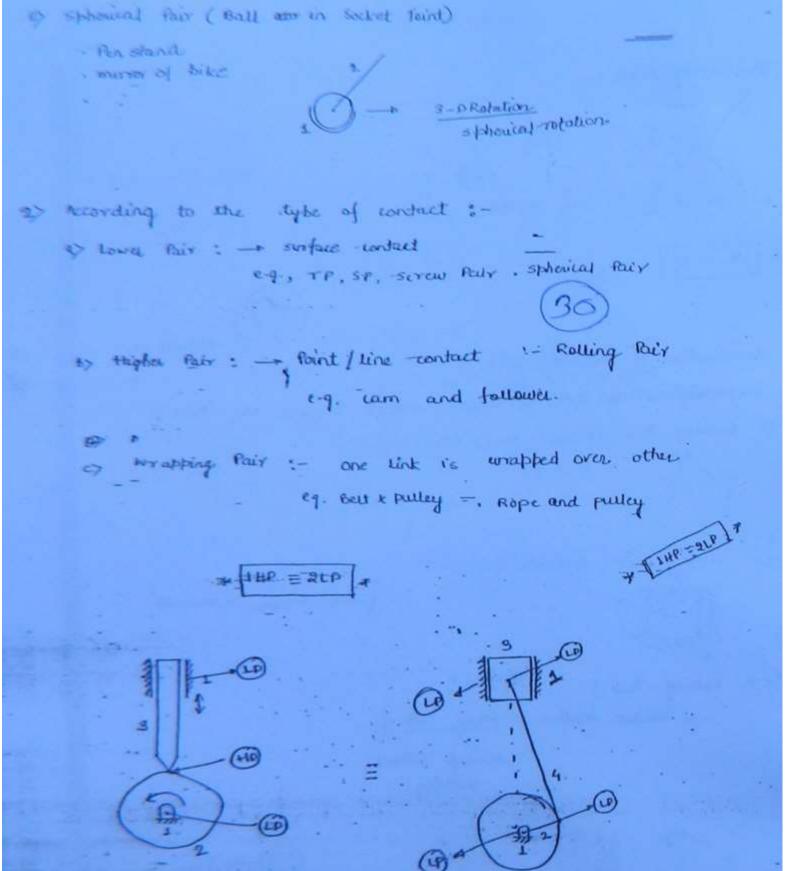


fig. lam and follower

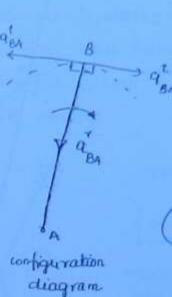
### Acceleration Analysis

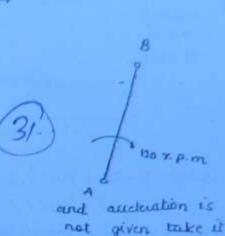
$$a_{BA} = \frac{Y_{BA}^{2}}{(BA)} (B \rightarrow A)$$

$$a^{\dagger} = (BA) \alpha'_{BA}$$

$$a^{\dagger} = (BA) \alpha'_{BA}$$

$$a^{\dagger} = (AA) \alpha'_{BA}$$





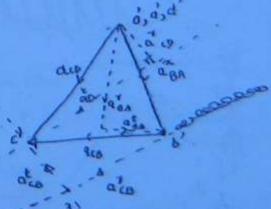
₽Ь		
	_	_
_	_	_

Point	wrt	Procedure 1
. 8	A	ABA = BA (gina) (B = A) W = roals
7 (4) Mil.		at = (BA) a(y (given)  (1907 to raction)  garadist
. c	В	$\alpha_{eB}^{T} = \frac{V_{eB}^{2}}{cB} (c \rightarrow B) (kweep)$ $\alpha_{eB}^{T} = (cB) (kcB) Unknown$ $1^{97} \text{ to radial}$
G	D	$q_{CA} = \frac{V_{CA}^2}{C_D} (C \Rightarrow D)   C \cap D $ $= -c_1 \frac{t}{C_D} = c_1 \frac{d}{d} $ $= c_1 \frac{t}{C_D} = c_2 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_1 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_2 \frac{d}{d} $ $= c_3 \frac{d}{d} $ $= c_3 \frac{d}{d} $ $= c_4 \frac{d}{d} $ $= c_4 \frac{d}{d} $ $= c_4 \frac{d}{d} $ $= c_4 \frac{d}{d} $ $= c_5 \frac{d}{$
+	1	(1 - 10 filling)

$$\alpha_{BC} = 9 (34.09 \, 700/s^2)$$

$$\alpha_{CO} = 9 (79.11 \, 704/s^2).$$

Hote: - radial component of audicration can never be sero. in a circular motion.

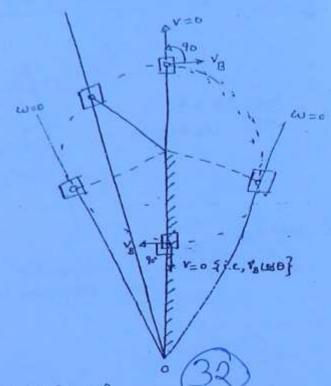


8200 Corrollis Acre :-

this acceleration is associated with the stides, if the stides is

sliding on a rolating object.

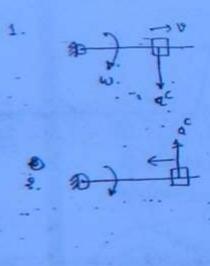
of = 2 v co , so of the body on which sleting is there stiding relacity of stide.

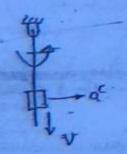


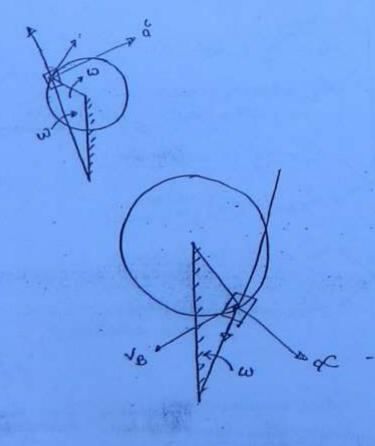
Direction of a : (Tangential).

in take the sense of w

in Rotate the v in that sense by 90°.

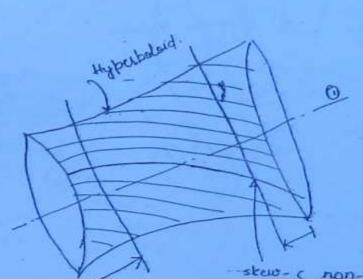






when the shafts are neither parallel nor intersecting:

When the shafts which are non-parallel & non-intersecting are supposed to be connected, any kind burro ralling motion is impossible. Therefore, the motion which is possible is the rolling motion thaving some partial sliding.



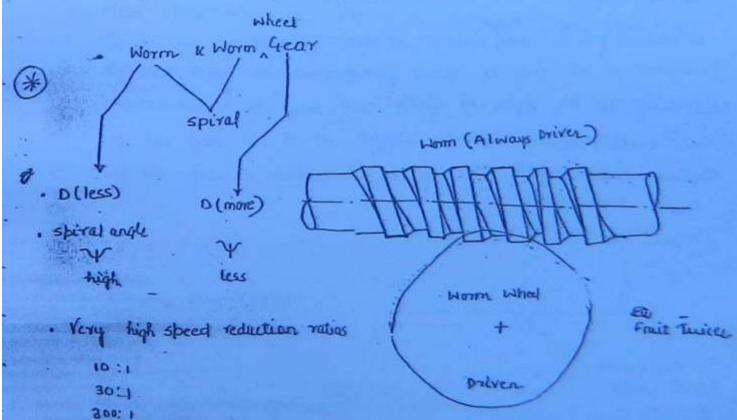
100001

spiral Gear

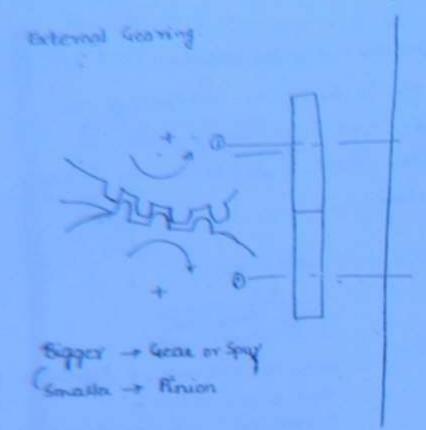
when the end scation of hyphotoloid is used to form a spiral (can -> Hypoid Gear.

33

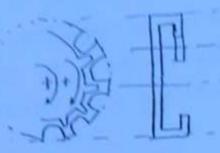
skew- & non-parallel and non-intersecting }



to mecorating to the tyle of graning :-



Internal receiving



Smally - Annular

(39)

Theoreting to the tangential speed:
PRESIDES - low velocity year

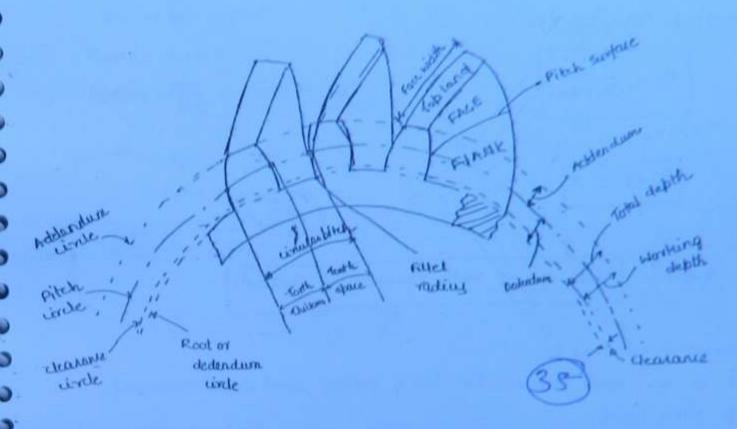
BENESSIMS - Medium velocity year

DOIS THIS - High "

st teeth year

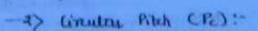
Inclined teeth year

Levered teeth year.



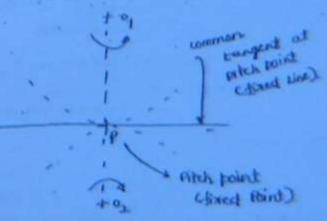
1> Pitch circle:-

It is an immaginary circle on which pure rolling motion is observed being an immaginary circle it can't be a physical characteristic of the gear but being the most important circle of the gear it is the biggest specification of gear. The size of the gear is defined by the dia of bitch circle.



$$e_{c} = \frac{\Delta D}{T}$$

For two mating Goals :-



$$m = \frac{D(mm)}{T}$$

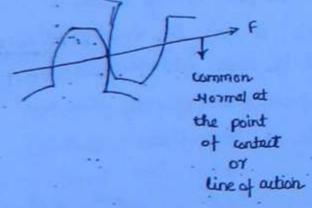
sharp corner is avoided and fillets are provided.

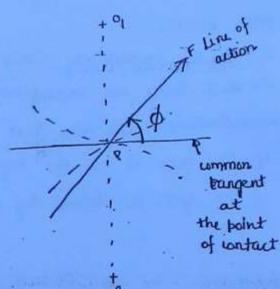
4> Directral Pitch (Pd):-

$$P_{d} = \frac{T}{D(inch)}$$



5> Pressure Angle (&):
It is an angle between the Line of action and common targent at pitch point.

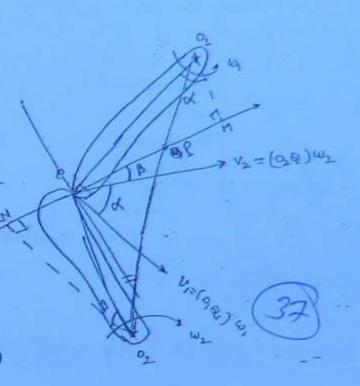




For proper contact

$$\frac{\omega_1}{\omega_2} = \frac{O_2 N}{O_1 M}$$

$$\frac{\omega_1}{\omega_2} = \frac{o_2 M}{Q M} = \frac{o_2 P}{Q P} = \frac{PM}{PM}$$

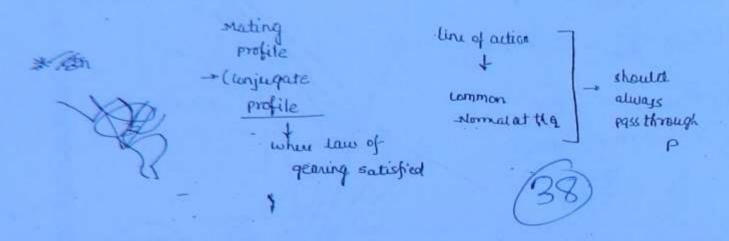


If these bodies are geary

$$\sqrt{\frac{Q}{\omega_2}} = \frac{o_2N}{q_1M} = \frac{o_2p}{q_1P} = \frac{PM}{-PM} = \frac{CBRST}{CBRST}$$

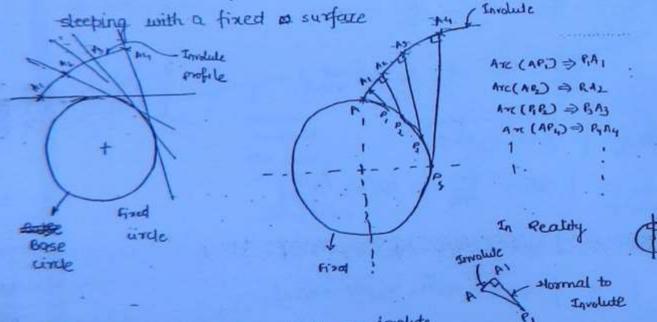
$$\frac{QP}{QP} = \text{ust} \Rightarrow P \rightarrow \text{fixed}$$

"common normal at the boint of contact between the two mating gene should always pass through a fixed boint on the line joining the centres of rotation of the genrs and this fixed point is known as pitch point."



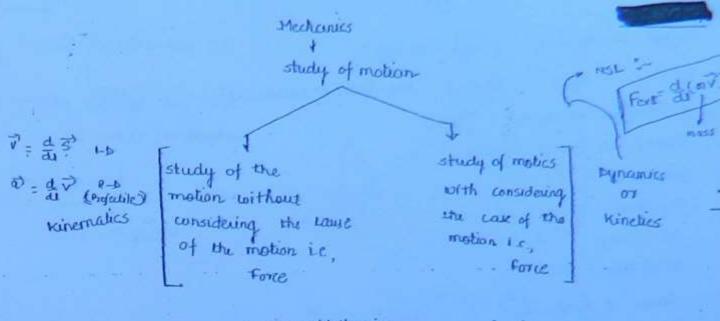
\* Involute Profile & (who nature unjugated, Pure mathematical curve)

It is a lower of a point on a line which rolls without seeping with a fixed a surface my [Involute



# Normal drawn at any point on involute curve will become tangent to its base circle

\* Envolute come is the combination of very small are of circles of different having different radius and different centre.



moment of intoval - mass distribution



rags is the measurement of inertia property

mass unit derectly/ Indivately - dynamic quantity parameter kg or N - not present - kinematic parameter

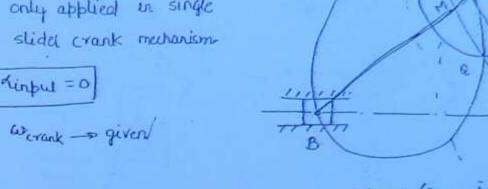
Theory of Machines

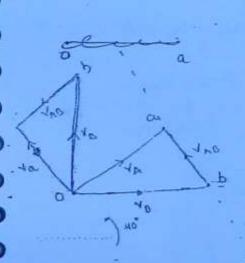
## Tom Tom

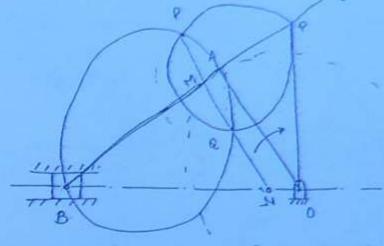
- simple Mechanism (understanding)
  - Velocity Analysis CA+G) [analytical & Graphical]
  - Acceleration Analysis (A1G)
  - GEARS & Gear Trains
  - Governors
  - Flywhed
  - balancing (A+G)
  - Vibrations (A)
  - Cams & Followers (A).

Simple Medio

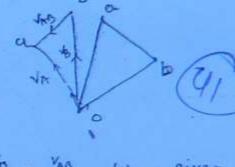
9313467612 kakkar anit@rediffmail.com Klein's Construction :only applied in single





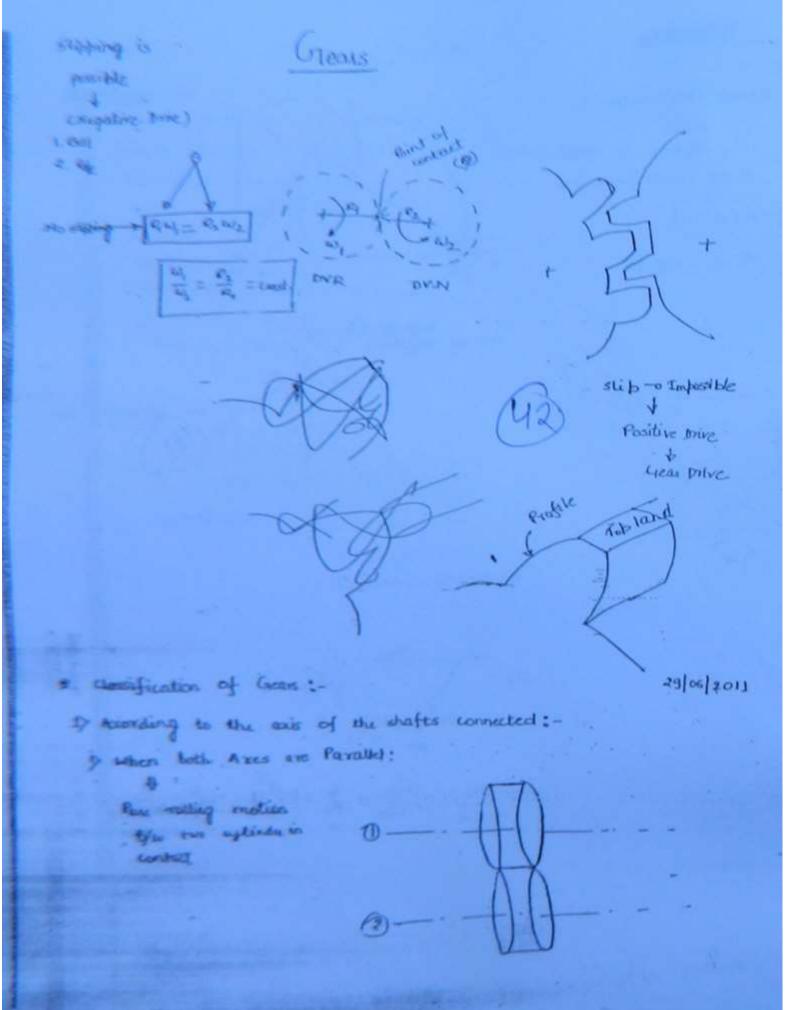


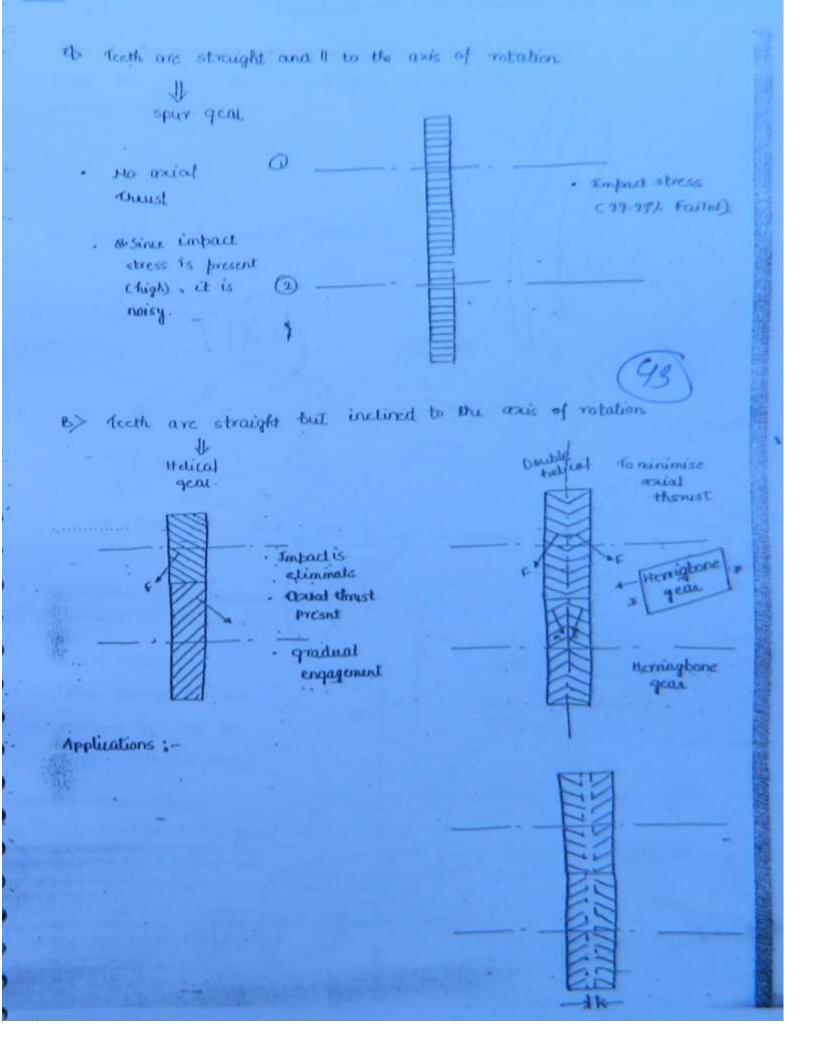
velocity thought :-

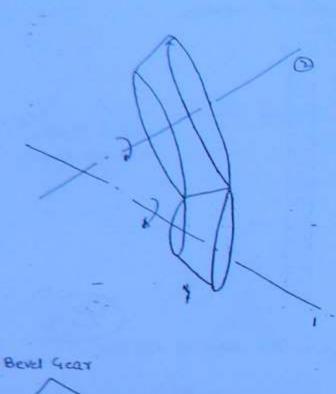


DOAMH -ACCE D:

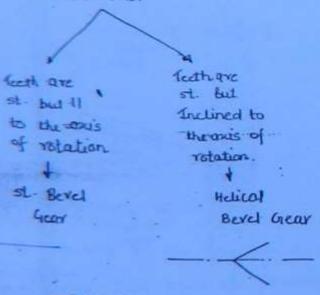
$$\frac{Q_A}{OA} = \frac{Q_{BA}^t}{MN} = \frac{q_B^t}{MN} = \frac{Q_{BA}^T}{AM} = \frac{Q_{Crank}^T}{MN}$$

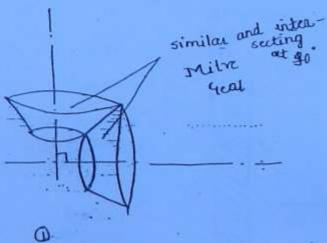


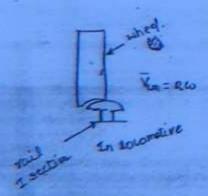


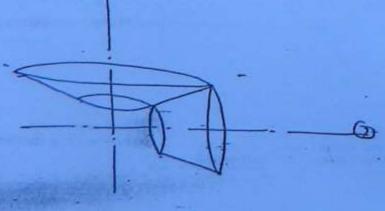


(44)





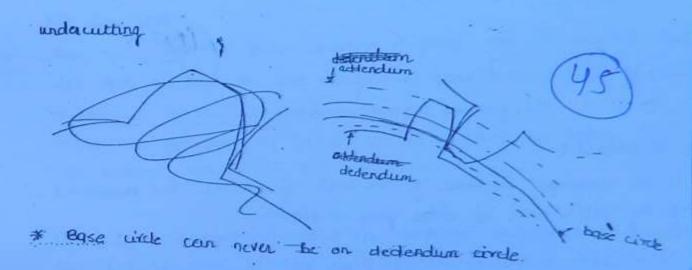




Hyperbola is a wave obtained when the centre is + o dixed but the radius is changing with negligible amount say etr.

107 2011

\* Analytisis of Involute Great:-



L → End of Engagement

Rine of action:-

- 1. Pass through @ Gear
- 2. Tangent to both the Base wirde (Involute)

travelled by (1) from

start to end of the

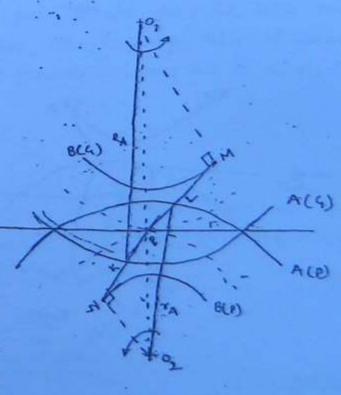
engagement.

-> (Path of contact) =

KP + PL

Path of path of

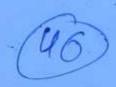
apparent reces



A DIEM!

$$R_A^2 = R^2 \cos^2 \beta + (1cP + R \sin \beta^2)$$

$$RP = \sqrt{R_A^2 - R^2 \omega_s^2} g = R \sin g$$

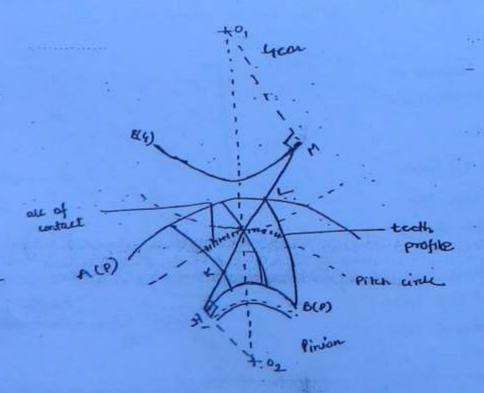


\* Apric of contact :-

It is an analogus distance of the bath of contact but measured along the pitch wicle of either gear or pinion.

Arc of contact

treat abb.



Arc of untall = 1 pc , 2 pc

Contact Ratio = Arc of contact

No. of pairs

min-1.

· 1.3 -1.8

\* For high power transmission worted ratio + in more. should be more

if contact ratio =14 justify answer

FOR JOHN OTCO.

In one enagement zone 1 pair of geans are in contact but for 40% of time in one enagement zone 1 more pair of geans to gre in contact. At this moment 2 puring this 40% of time two gets pair of gears are in contact in total. So, the contact ration is 1.4

One pair is enaged engaged in complete engagement beried but 40% of time of this engagement-period is like that along with this pair I more pair is, total two pairs are engaged. Cherefore, the average value of contact ratio in one engagement period is comes out to be 1.4.

Prob:

t = 24

T =36

m = 8mm

Addendum = 7.5 mm

Geor

 $R = \frac{mT}{2} = \frac{8v36}{2} = 144 mm$ 

RA = 144 + 7.5 = 151.5 mor

Pinion:

7 = mt - 8x94 - 00-

Path of contact

$$kL' = KP + PL$$

$$= \left[ \sqrt{R_A^2 - R^2 \cos \beta} - R \sin \beta \right] + \left[ \sqrt{R_A^2 - r^2 \cos \beta} - r \sin \beta \right]$$

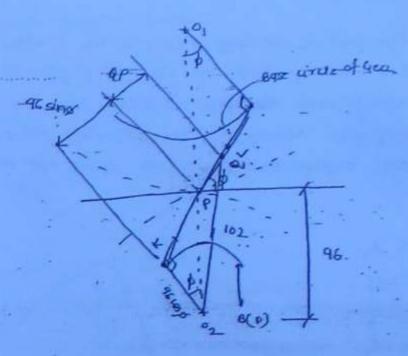
$$= 18 - 8866 \text{ mm} + 17.9037 \text{ mm}$$

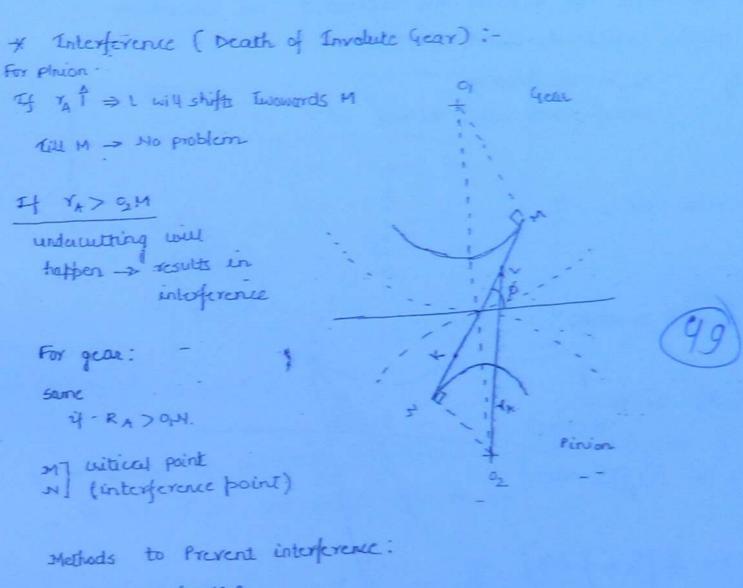
$$= 36 - 79.43 \text{ mm}$$

i) 
$$\frac{39.1450-x}{96}$$
  $\frac{180}{\pi}$   $\% = 23.3630°$ 

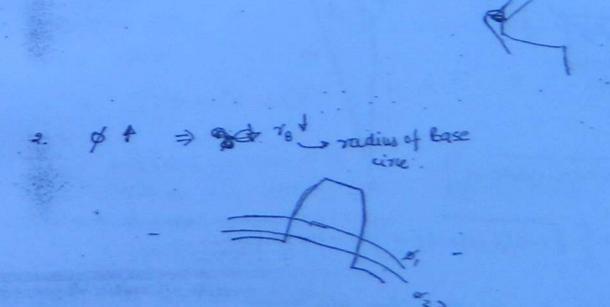
ep = 14: 7693 mm

Voliding = 
$$(\omega_1 + \omega_2) qP$$
  
=  $\frac{2\pi}{c_0} (H_{(1} + H_{(2)}) qP$   
=  $1-16 \text{ m/s}$ 





## 1. Undel cut 4cals:



of Teeth :

If the minimum no of teeth are increased, the addendum circle radius will decrease.

clearly : ra is decreasing interference will decrease.

$$\frac{rT''}{t} = 4cal ratio = \frac{R}{7}$$
 $\frac{8igger}{-smaller}$ 

Applying us rule to estate

 $T_{\rm A}^2 = T_{\rm +}^2 R^2 \sin^2 \phi - 2 \tau \left( R \sin \phi \right) \cdot \cos \left( 90 + \phi \right)$ 

$$= \tau^2 \left[ 1 + \frac{R^2 + 2\tau R}{\tau^2} \cdot \sin^2 \theta \right]$$

$$= \sqrt[4^2]{\left[1 + \frac{R}{\gamma} \left(\frac{R}{\gamma} + 2\right) \sinh^2 \beta\right]}$$

Ap -> Fractional Addendum of Pition for one module in order to avoid interference



Paosing 14

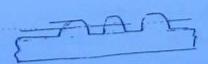
$$\frac{m_1 A.p}{2} = \frac{mt \min_{2} \left[ \sqrt{1 + 4 (q_{12}) \sin^2 \varphi - L} \right]}{2Ap}$$

$$\frac{2Ap}{1 + 4 (4+2) \sin^2 \varphi} - L$$

$$tim t_{min} = \frac{2A_q}{\sqrt{1+\frac{1}{4}(\frac{1}{4}+2)} \sin^2 q - 1}$$



\* Minimum No. of Teeth on Pinion to avoid interference in Involute Rack and Pinion Arrangement



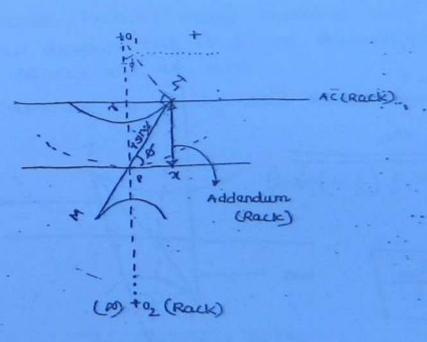
Addendlum rack

Nx = rsin20

$$= \frac{m t_{min}}{2} sin^2 \phi = 0$$

AR - Fractional addendum of
Rack for one module
in order to graid
underference

mAR = min ship



Full depths 
$$\rightarrow$$
 standard Addemation  $\Rightarrow$  In  $M = 1 m$ 

$$MA = 1 m$$

stub

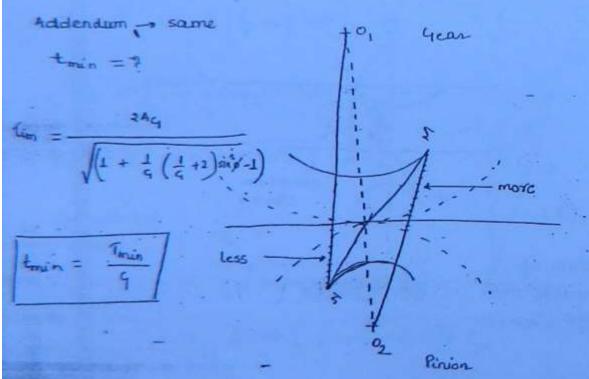
Addendum <1mmA <1m
+ [A <1] +

generally 0.8-0.75

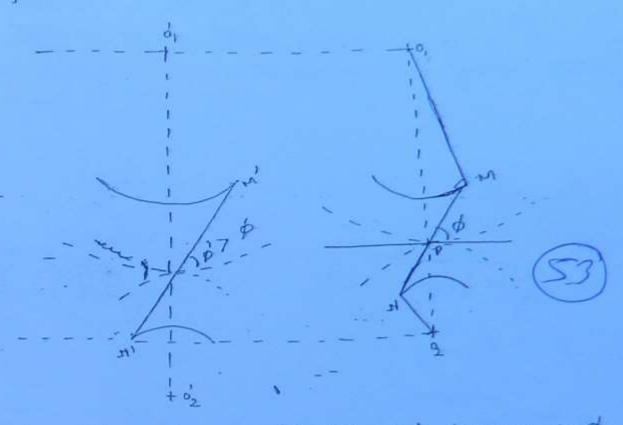


Rostub is said to be Best due to following movement

- 1. Stronger Tooth >
- 2. low interference
- 3. lesses no. of teeth (timin) Timin
- 4. Last is also less.



\* Effects of Vitration and Centre Distance On Involute Geal:



- . Its centre distance increases pressure angle increases and its earlie interference will decrease but it is not the confrect method to reduce centre distance and vice versa
- . By changing the centre distance the velocity ratio doesn't change.

2007 - section B. - 3

9ue: 3.

$$\begin{array}{ccc}
 & q = 3 \\
 & A_D, A_{Q} = 1 \\
 & \phi = .26^{\circ}.
\end{array}$$

$$\frac{44.9426}{\sqrt{1+\frac{1}{4}(\frac{1}{4}+2)\sin^2 \theta}} = 44.9426 \approx 45$$

$$t_{min} = \frac{45}{3} = 15$$

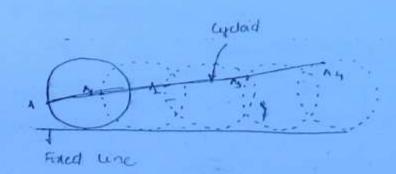
$$= \frac{24q}{\left(\sqrt{1+\frac{1}{q}\left(\frac{1}{4q}+2\right)Shhps} - 1\right)}$$

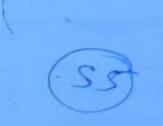
$$36 = \frac{2A_q}{\left(\sqrt{14\frac{1}{4}\left(\frac{1}{4}+2\right)} - 1\right)}$$

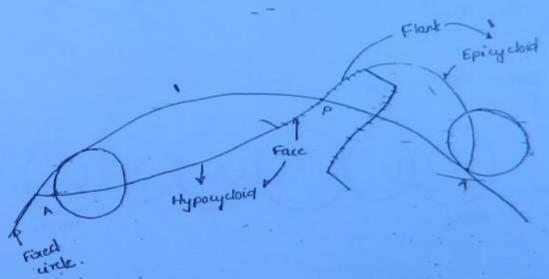
work book (Pages4)

\* Cycloidal Profile: -

It is the locus of the point on the circumserence of the circle which rolls without slipping on a fixed straight line. This profile is also by nature conjugate.







Advantage

- 1. Restooth to lost is high But overall cost is low
- 3. Interference is absent because automatic unduculting is provided due its nature of profile
- 3. Flank Wide - strength more
- 4. life more less wear

disadvanlage

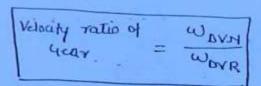
- 1. pressure ange (1) is continuously changing [Max o Max]
- ?. Sever effect if vibration velocity ratio is changing

Gear Train combination of 4cars why combination of Greats are required? - 1. lentre distance is large

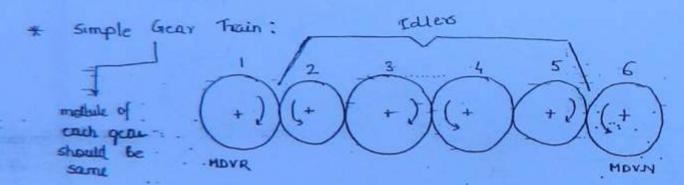
2. centre distance is less but velocity ratio is high i.e., wi = 10 , to ] high/ Low

- Once parts of Gear Train :-

- 1. Main DVR
- 2 Main DWN
- 3. Intermediate Geors.







All eqh (x)
$$\frac{\omega_{i}}{\omega_{c}} = 5.R. = \frac{T_{c}}{T_{1}}$$

Ucarly, from the equation it can Be seen that k.e. depends only on MAVE and MAVN. It doesn't depends on intermediate gear. so, these are called Tollers

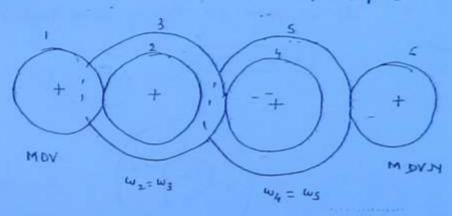
the of sides is odd - direction opposite Ho, of toler is even -> direction same

If only one goar is mounted in a all shafts in a gear , then it is called simple year Train

\* Compound Gear Frain: -

Any of the intermediate shafts if it is having more than one gear in use such a gear train is called combound Gear Frain.

2-3 and 4-5 are compound gear



DVR : (1,3,5)

DVH : (2,46)

$$\frac{\omega_1}{\omega_2} = \frac{\tau_2}{\tau_1} - 0$$

$$\frac{\omega_3}{\omega_4}$$
:  $\frac{\tau_4}{\tau_3}$  -  $2$ 

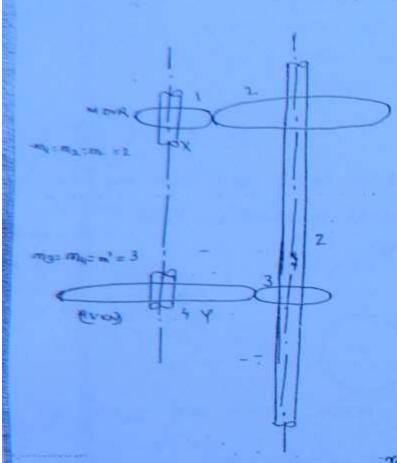
$$\frac{\omega_5}{\omega_4} = \frac{T_c}{T_S} - 3$$

$$5.R = \frac{\omega_1}{\omega_c} = \frac{T_2 \sqrt{14} \sqrt{T_0}}{T_1 \sqrt{13} \sqrt{15}}$$

S.R = 
$$\frac{\omega_1}{\omega_8}$$
 = Product of No. of Teeth on DVN
Product of No. of Teeth on DVR

Riverted Geny Train :

It is a compound gear brain in which main driver and main driver and main driver shafts are collinear i.e. co-axial.



BVR (1,3)  

$$\delta$$
VN (2,4)  

$$\frac{\omega_1}{\omega_4} = \frac{T_2 \chi T_4}{T_1 \chi T_3}$$

$$T_{1}+T_{2} = T_{3}+T_{4}$$

$$\frac{mT_{1}}{2} + \frac{mT_{2}}{2} = \frac{mT_{3}}{2} + \frac{m'T_{4}}{2}$$

$$\int m(T_{1}+T_{2}) = m'(T_{3}+T_{4}).$$

Ef all gears are having same module

$$\frac{T_1 + T_1 = T_3 + T_4}{SS}$$

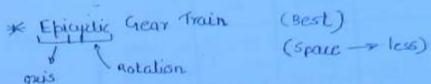
$$\frac{T_1 + 2T_1 = T_3}{T_1 + 2T_2 = T_3}$$

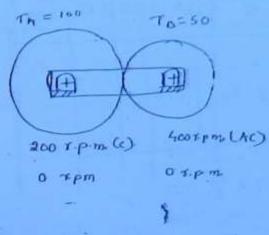
2006 (b)

Problem:

$$\omega_{\xi} = \frac{\omega_{1}}{12} \qquad \frac{\dot{\omega}_{1}}{\dot{\omega}_{q}} = 12 \qquad = \qquad \frac{T_{2} \times T_{q}}{T_{3} \times T_{3}}$$

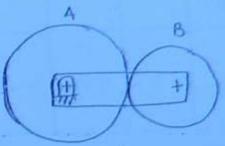
$$(T_1 + T_2) = \frac{m}{2} (T_1 + T_2)$$
  
=  $\frac{m}{2} (24 + 106)$   
= 152 mm





$$\frac{N_A}{N_B} = \frac{T_B}{T_A}$$

$$R_A = \frac{T_B \cdot N_B}{T_A}$$



and it is ept-cyclic.

## Problem :-

A-B combound.

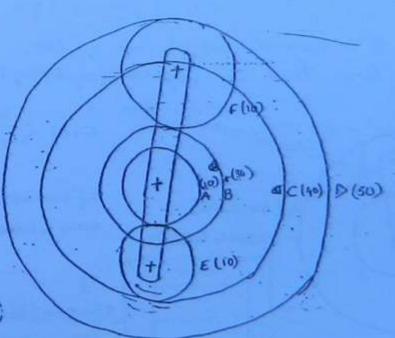
All geals are having same

$$T_A = 20$$

$$T_B = 30$$

$$T_E = T_F = 10.$$

Final N of all other great



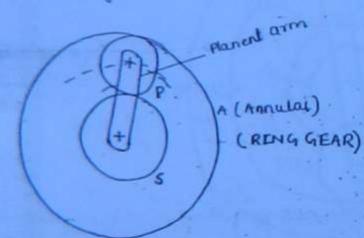
mation	Arm	ر 40	20	A/B 20/30	10	50.
Gear C Totals + x Yer (Work)	0	+ 1	+ 1x40	- 47 x10 26	+2 x 30	
e. Arm Free	7	¥+3	9 + 43	4-24	y+62 -	4+ 5

$$T_A + 2T_E = T_C$$
 $T_B + 2T_F = T_D$ 

Now, 
$$y + \frac{6q}{5} = 0$$
  
 $y = -200 \text{ r-pm}$   
 $x = \frac{200 \text{ y S}}{6} = \frac{7000}{6} = 166.667 \text{ rpm}$ 



Planetary Gear Train :- (By reature Epicyclic)



2b) 
$$\frac{752}{T_{D}} = 3.5 \implies T_{D} = 72$$

Ann 5 \$\Phi\_{D}\$

\[ \lambda \text{Ann} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \]

\[ \lambda \text{Ann} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \]

\[ \lambda \text{Ann} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \]

\[ \lambda \text{Ann} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \rightarrow \frac{7}{10} \]

\[ \lambda \rightarrow \frac{7}{10} \rightarrow \frac{7}{1

$$M_S = 5 M_{QYM}$$

$$4 + 2 = 5 y$$

$$2 = 4 y$$

$$N_{S} = 5 \text{ Marm}_{-} - 40 - 44 \frac{T_{S}}{T_{2}} = 0$$

$$Y + 2 = 54$$

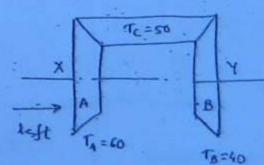
$$X = 44$$

$$But \ y \text{ an't be zero because it is are chicyclic. 9 can
$$1 - \frac{4T_{S}}{72} = 0$$

$$T_{S} + 2T_{p} = T_{p}$$$$

Page 123.

. Jun	A	C	В
. 0	+ 2	1 3-140	- 7(50)x 50
4	4+2	7 3 4 (60)	4-7(60)
,	_ t	1	



MA = 120 T-pm. (clock) Harm = 120-710m (AC)

Ts =18

Homepage Gear

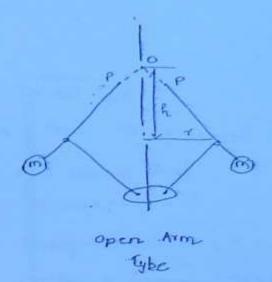
Fixing Torque in Epicyclic Gar Train: -

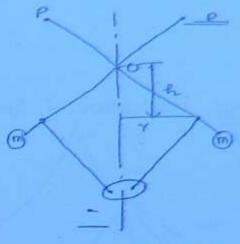
Workbook Page No. 9.

₹HE 20.

= 30 km in anticlockwise direction.





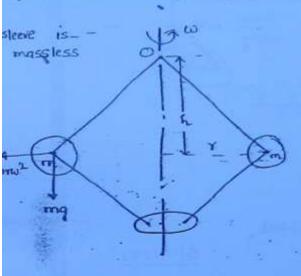


Lyossed Am

- 0 is the point of intersection of the arm

- p is the point of pivot.

1> Pendulum Type of Governor (Watt Governor) :-



FBA GOYWNOT :-

Rot Eq. !-

forw/14 = 179.7

$$\left(\frac{2NH}{60}\right)^2 = \frac{9}{h}$$

$$M^2 = \left(\frac{60}{60}\right)^2 \cdot \frac{9}{h}$$

$$h_{L} = \frac{695}{(30)^{L}}$$

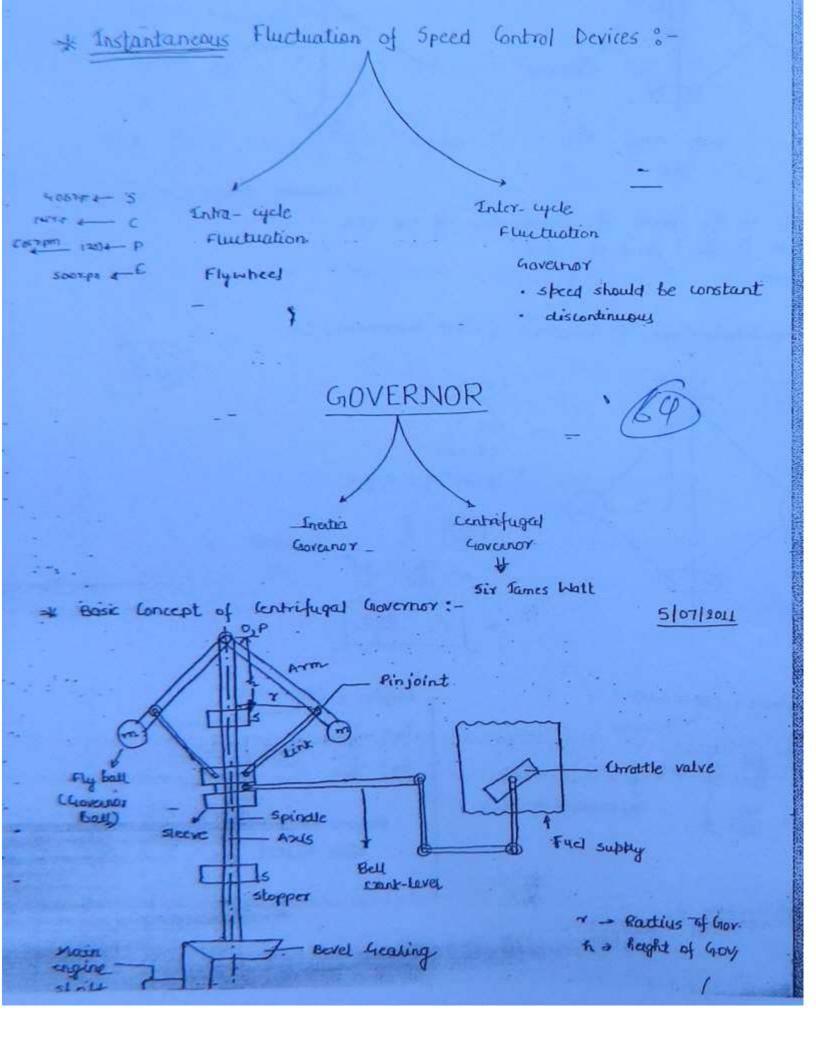
$$h_{L} = \frac{595}{1300}$$
Sett crank level

Engire & (80 3.pm)

$$k_{V} = \frac{995}{902}$$

885 (Ru-ha)

Beyord 60 T.pm

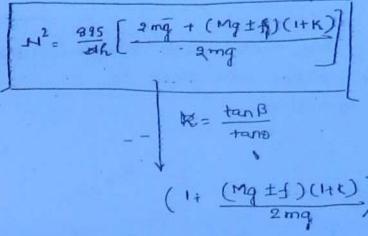


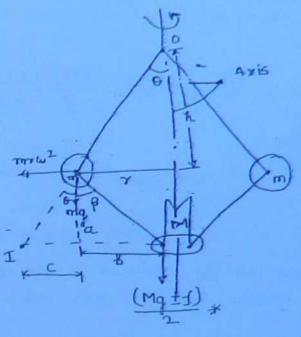
Loaded Type:
\*\* Porter Gov:
\*\* Mass of sleeve

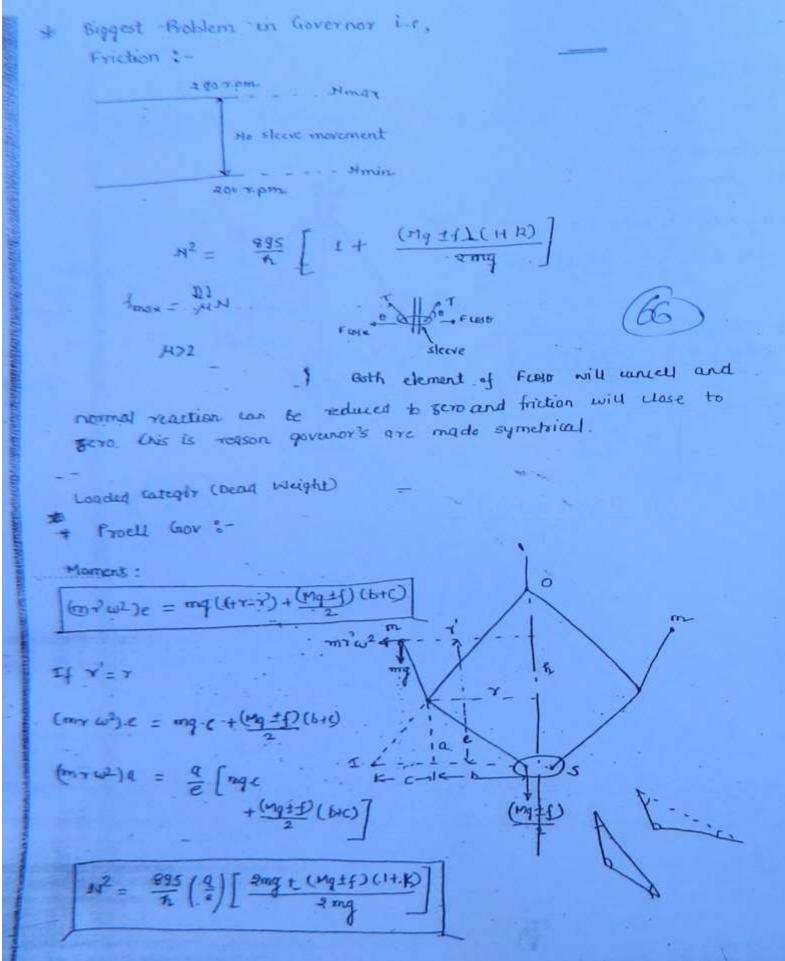
M>>>>>> m

Taking moments w.r.t I:
(mrw²). a = mg·c + (Mg tf)(b+c)

\*\* My the sleep the sleep







on 1 ( whole quantity 1+ (M) + (1+10) increase x ( ) will be + Always same as Portall. Total Inertia of the system will recluse ((m) (2) e) = (mg((+70-7)) + (mq ±5) (D10) sleeve is moving up 4% 4% ? - will - Unstability 5%1 14% 4 - o w - constant. 4% A (Isochronism) m = 15 kg M = 75kg h = 216.5063 7 = 125 Q = 216 5063 "7 = 125 7 = .125 b = 125 C = 125 e = 316.563 (m202):e = mg (c+7-7)+ mg (b+c) N = 130 225 7.pm 3400758 6 = 175 1 = 199. 3146 8 = 175 £ = 275\_ 3622 7=175 h: 178-5357 N = 129. 0860 9.pm. Q= 178: 5357 35.97790

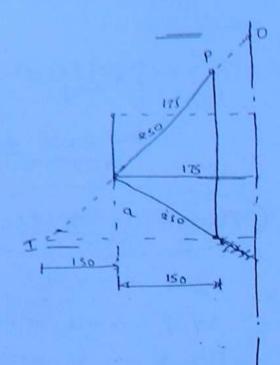
$$8 = 180$$
 $C = 160$ 
 $Q = 200$ 
 $Q = 200$ 
 $Q = 160$ 
 $Q = 160$ 

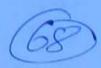
$$(mr)\omega^{2})e$$

$$= mq(c+r-r^{2}) + \frac{m}{2}(64c)$$

$$e = 263.9594mm$$

$$807.945c.$$

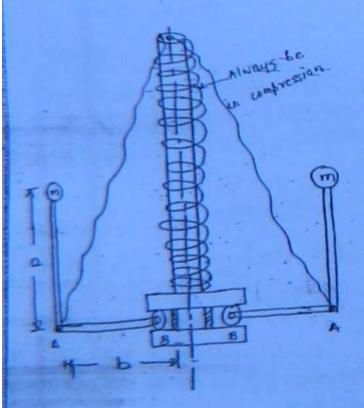




11/70/00

\* Spring landred Calcopy :-

1> Hartnell Governor:



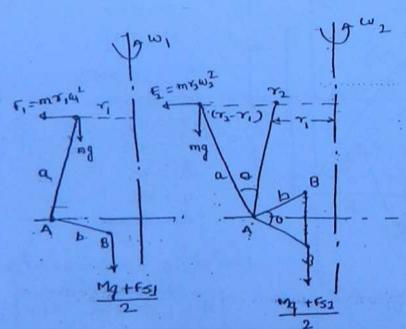


fig. representing two different

Moments wird Foint A:

(ricifled obliquety)

$$\frac{2q}{p}\left(F_2-F_1\right) = F_{52}-F_{51} \qquad \boxed{A}$$

steeve movement = 
$$b \cdot \theta = \frac{b \cdot (\tau_2 - \tau_1)}{\alpha}$$

Additional compression in spring =  $b.\theta = \frac{b(r_2-r_1)}{q}$ 

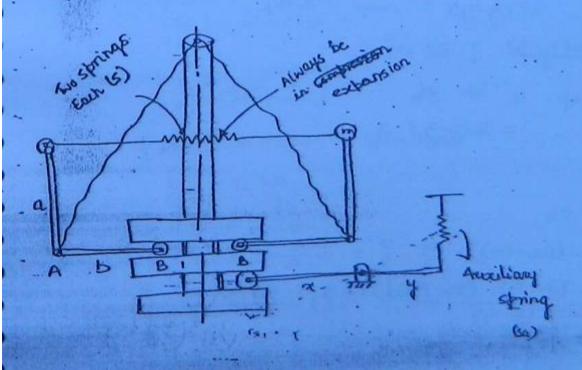
$$F_{s2} - F_{s1} = \frac{s \cdot b \cdot (\tau_2 - \tau_1)}{\alpha} \rightarrow 6bj$$

$$2\left(\frac{a}{b}\right)(F_{2}-F_{1})=5\cdot\frac{b}{a}\left(\tau_{2}-\tau_{1}\right)^{-1}$$

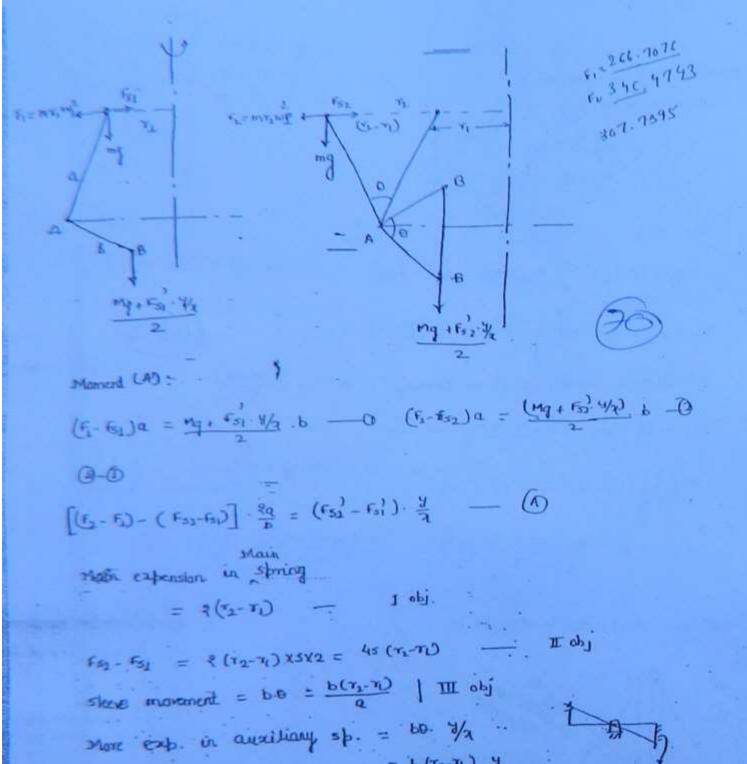
$$s = \frac{2 \cdot (F_3 - F_1)}{(\gamma_2 - \gamma_1)} \cdot \left(\frac{q}{b}\right)^2 = \frac{8m(F_1 \omega_2^2 - \gamma_1 \omega_2^2)}{(\gamma_2 - \gamma_1)} \cdot \left(\frac{q}{b}\right)^2$$

s = Spring constant.

27 Wilson - Hartnell Governor :-







 $\begin{aligned} \mathbf{G}_{3}^{2} - \mathbf{G}_{3}^{2} &= \frac{b(r_{2}-r_{3})}{a}, \frac{y}{2}, \mathbf{S}_{0} \\ \mathbf{Fut} &= \mathbf{th}_{L} &= \mathbf{solut}_{L} &= \frac{b(r_{3}-r_{3})}{a}, \frac{y}{2}, \mathbf{S}_{0} \\ &\Rightarrow & \mathbf{S}_{0} &= \frac{2[\mathbf{G}_{0}-\mathbf{G}_{1}) - (\mathbf{G}_{2}-\mathbf{G}_{2})]}{(\mathbf{g}_{1}-\mathbf{g}_{1})} \cdot \frac{(\mathbf{g}_{1})^{2}}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \cdot \frac{(\mathbf{g}_{1})^{2}}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \\ &= \frac{2[\mathbf{g}_{0}-\mathbf{g}_{1}) - (\mathbf{g}_{1}-\mathbf{g}_{2})]}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \cdot \frac{(\mathbf{g}_{1})^{2}}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \cdot \frac{(\mathbf{g}_{1})^{2}}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \\ &= \frac{2[\mathbf{g}_{0}-\mathbf{g}_{1}) - (\mathbf{g}_{1}-\mathbf{g}_{2})]}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \cdot \frac{(\mathbf{g}_{1})^{2}}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \cdot \frac{(\mathbf{g}_{1}-\mathbf{g}_{2})}{(\mathbf{g}_{1}-\mathbf{g}_{2})} \cdot \frac{(\mathbf{g}_{1}-\mathbf{g}_{2})}$ 

= b (Tar 1) . 1

$$\frac{1}{6}\left(\frac{1}{4}\left(\frac{1}{4}\right)\right) = 3.0 \text{ cm} \qquad \boxed{1}$$

3

$$\frac{600}{2} = \frac{7(+7)}{2} = 16.5$$

$$F_{i} = mT_{i} \left( \frac{RX \times 430}{60} \right)^{2}$$

$$\therefore 5 = \frac{\sqrt{(F_2 \cdot F_1)}}{\sqrt{2} - \sqrt{1}} \left(\frac{q}{b}\right)^2$$

F1.9 = Mg + F52 .b

fs = ? = 34 xS



\* Stability of Governor :-A governor is said to be in stable equilibrium if is every equilibrium speed is having its unique radius and every equitibrium radius is having its unique equilibrium speed. Friction - Zero is the restoring forces should be quite dominent as compared to disturbing forces a) The NT stable Eqm · Unstability of Governor b) TI => NY Unstable Equa · Isochronism in Governor c) 7↑ 71 = H = const. Hentral Equilibrium Isoch rondus

Sensitivity of the Governor:

For steere Movement

Sensitivity  $\alpha \frac{1}{M_1-M_2}$ Sensitivity =  $\frac{M}{M_1-M_2}$   $\left(M = \frac{M_1+M_2}{2}\right)$ 

sensitivity of sive performance of engine

Hote: Something and the stability both are inverse property.

Haunting: (Governor and System both will die).
It is an extreme problemetic situation with excessively high sensitive governor.

the slight movement of the load of the engine, then slight income increase of speed of engine and governor. Immideately the sleeve is gaing to ghit top stopper. Unrottle valve fully closed. Fuel injection totally cut off and speed of the engine and gov. will dranstically decrease. Right at the same speed sleeve is going to sleeve too fut tower stopper. Unrottle with the fulley open fuel injection, drassically increase and sheed of engine will the fulley open fuel injection, drassically increase and sheed of engine will trustically increase. This phenomena will be sepecated thereafter untill and unless the stopper will be put of order. The system of will be out of control of governor.

till the movement stoppers are there big vibration and for fluctuation of speed will be introduced which damaged other park of the system.

\* Isachronism :-

A governor is said to be an isochronous Governor excluding friction if the sleeve is moving and the radius of rotation of is changing but the equilibrium speed is not changing

Porler X

Hadrell: f = 6  $f_1 = 2 = \frac{Mq + f_{S1}}{2} \cdot b = 0$   $f_2 = \frac{Mq + f_{S1}}{2} \cdot b = 0$   $f_{S_2} = \frac{Mq + f_{S1}}{Mq + f_{S2}}$   $\frac{m \pi_1 \omega_1^2}{m \pi_2 \omega_2^2} = \frac{Mq + f_{S1}}{Mq + f_{S2}}$ 

(Hornting) Isohnomus = 0  $\int$ (ant be used

(4 \neq 0).

99)

For Isochronism Wi= WL

$$\frac{T_1}{T_3} = \frac{Mq + F_{31}}{Mq + F_{32}}$$

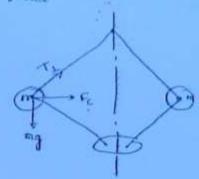
Isochronous good are not used for the practical purposes because friction bet the sleeve and spindle can't be zero.

the condition of Isochronism can only be achieved at stability. Yes

- leaving stability will' always give Isochronism. No.

Controlling Force biagram:

In every Governor the balls are in continuous rotation. Thereforce, the force which is controlling the balls in rotation i.e.,
contribetal force two towards the centre along the radius is
known as controlling Force. Its value is \frac{my^2}{7} or mrw^2.



$$\omega^2 = \frac{F_L}{mY}$$

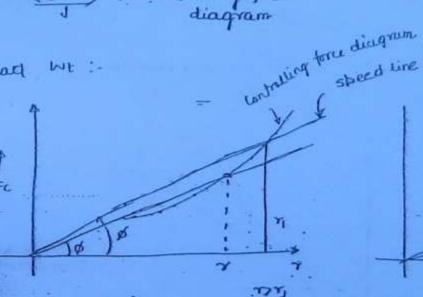
spring control

$$N^2 = \frac{60}{2\pi} \cdot \frac{1}{m} \cdot \frac{F_c}{L}$$

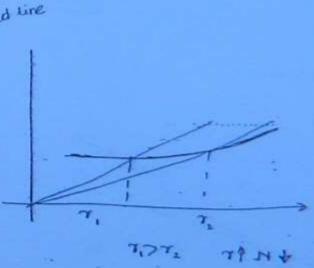
$$M = \frac{G_0}{2\pi fm} \sqrt{\frac{F_c}{\lambda}}$$

$$N = const \cdot \sqrt{\frac{F_C}{Y}} = const \cdot \sqrt{tango}$$

Dead Wt :

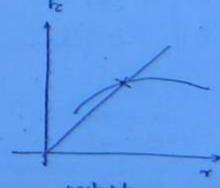


TH TY stable

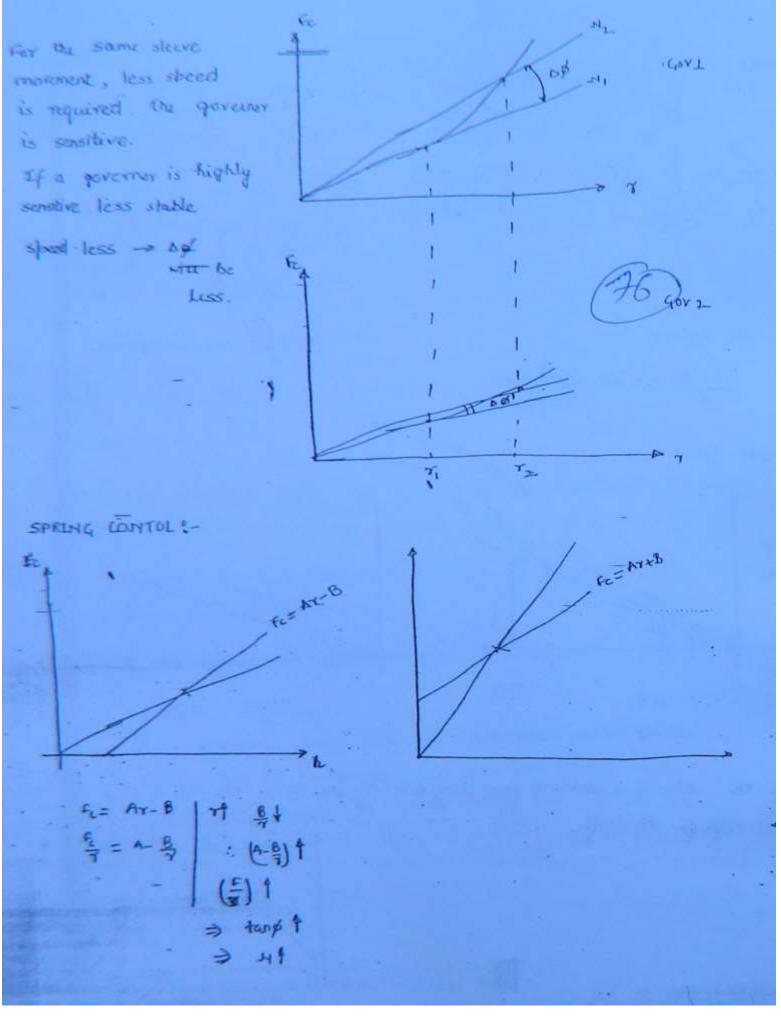


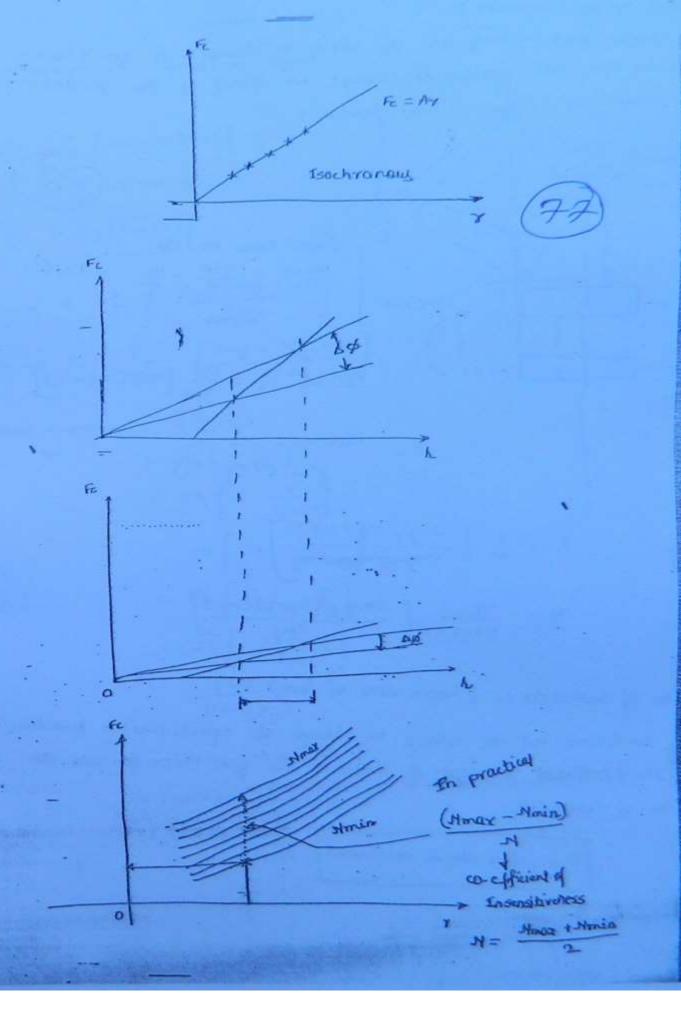
#### unstable

The slobe of controlling force diagram should be > the speed line slope for stability.

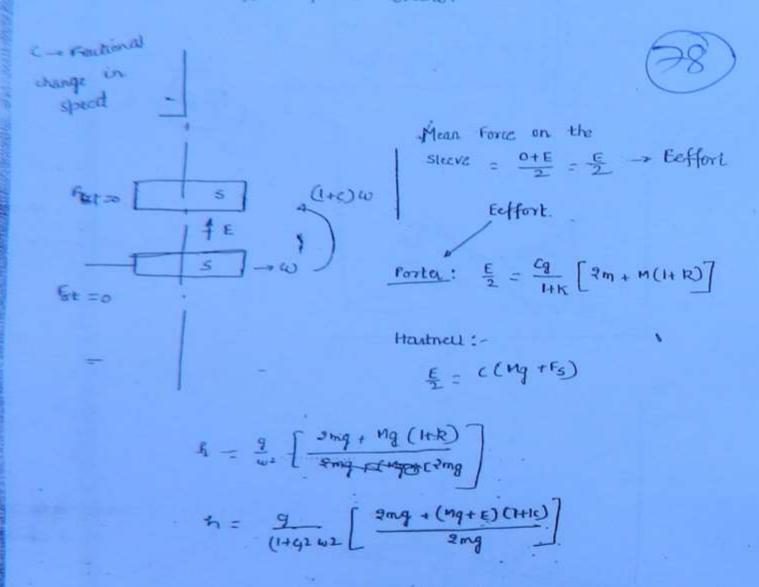


unstable





the mean force acting on the skere to change its equilibrium position for the fractional change in speed of the governor is known as affort of the Governor



fower of Governor: - ( work done of Gov)

for the fractional change of speed of the gov. is known as Bower of Governor.

$$P = \frac{E}{2} x$$
 sleeve movement

$$\frac{E}{2} = \frac{Cg}{H(1)} \left[ 2m + M(1+1) \right]$$

$$= \frac{Cg}{2} \times 2 \left( m + M \right)$$

$$= \frac{E}{2} = \frac{Cg}{M} \left[ \frac{m+M}{M} \right]$$

$$\omega \rightarrow h = \frac{q}{\omega^2} \left[ \frac{2mq + Mq (1+1)}{2mq} \right]$$

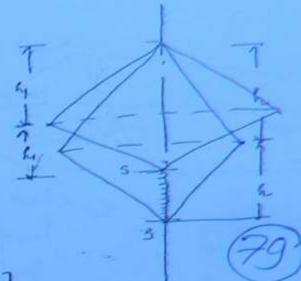
$$(1+c)\omega \rightarrow k_1 = \frac{q}{(1+c)^2\omega^2} \left[ \frac{2mq + Mq (1+1)}{2mq} \right]$$

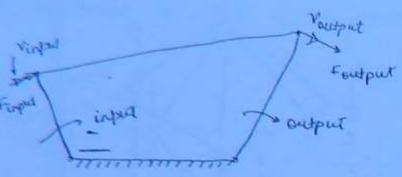
steeve movement = 
$$2(h - R_1)$$
  
=  $2h \left(1 - \frac{R_1}{R_1}\right)$   
=  $2h \left[1 - \frac{1}{1+C+1C}\right]$   
=  $2h \left[1 - \frac{1}{1+C+1C}\right]$   
=  $2h \left[1 - \frac{1}{1+2C}\right]$   
=  $2h \left[1 - \frac{1}{1+2C}\right]$   
=  $2h \left[\frac{1}{1+2C}\right]$   
=  $2h \left[\frac{1}{1+2C}\right]$ 

$$P = \frac{E}{2} \times \text{ sleeve movement}$$

$$- = cq (m+m) \cdot \frac{4 \text{ h.c}}{1+2C}$$

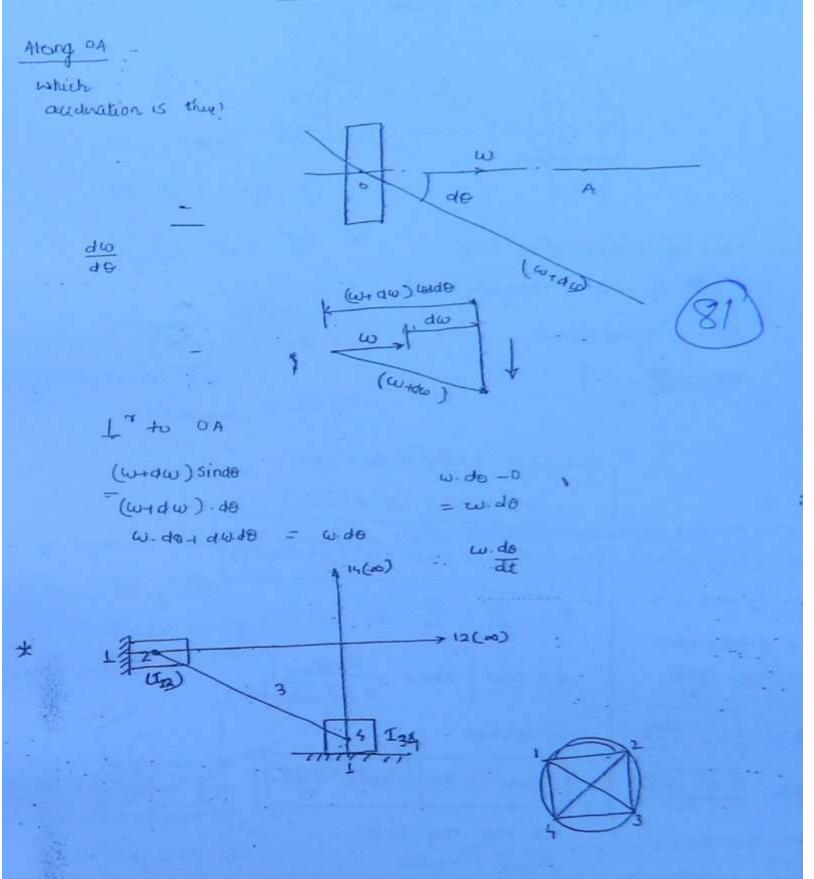
$$= 2 \text{ h. (m+m)} \cdot \frac{4c^2}{1+2C}$$





$$\frac{F_{\text{out}}}{F_{\text{inp}}} = \frac{V_{\text{inp}}}{V_{\text{out}}}$$

M.A. 
$$=\frac{\omega}{\delta}=\infty$$



# (Inertia of Single of Liter-Crank Mechanism:-



m - mass of reciprocating Party

$$\Delta D = n \rightarrow \text{obliquity Ratio}$$
 $\omega \rightarrow \text{crant speed}$ 
 $\omega = \frac{d\theta}{dt}$ 



Fiston

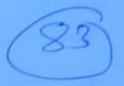
$$c_{BB} = \sqrt{1 - \frac{\sin^2 \theta}{\eta^2}}$$

$$\omega_{cg} = \frac{ctB}{dr}$$

$$\frac{\sqrt{n^2 - \sin^2 n}}{n} \cdot \omega_{CR} = \frac{\cos n}{n} \cdot \omega$$

$$\omega_{ce(approx)} = \frac{-\omega \cos \theta}{r}$$

$$\propto_{celapprox} = -\frac{\omega^2}{h} sir \theta$$

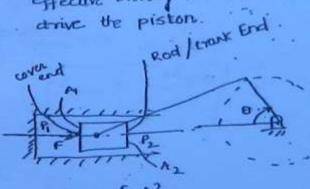


\* Dynamic Analysis of Single Slidel Crank Mechanism 1-

## 1. Piston Effort

Effective Driving force to

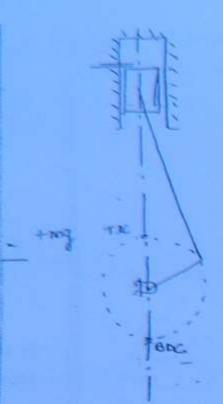
drive the piston.

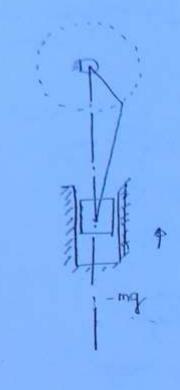


F = ( Fqas - Fg - f) 0 If it is a case of voltical engine F = (Fqqs - F1 -1) + mg.

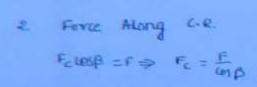
$$F_{I} = m.q$$

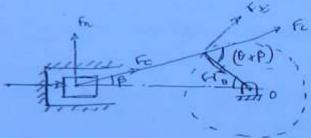
$$= m.7 \omega^{2} \left[ \cos \theta + \frac{\cos 2\theta}{n} \right]$$





STATE OF THE PARTY OF





- . Fin = Fe sinp => Ften B
- $-\omega = \omega_o + \infty t$

4 crant effort:

$$F_{E} = F_{c} \sin (\Theta + \beta) = \frac{F}{\cos \beta} \cdot \sin (\theta + \beta)$$

5 Radies Courst to crank shaft Bearings:

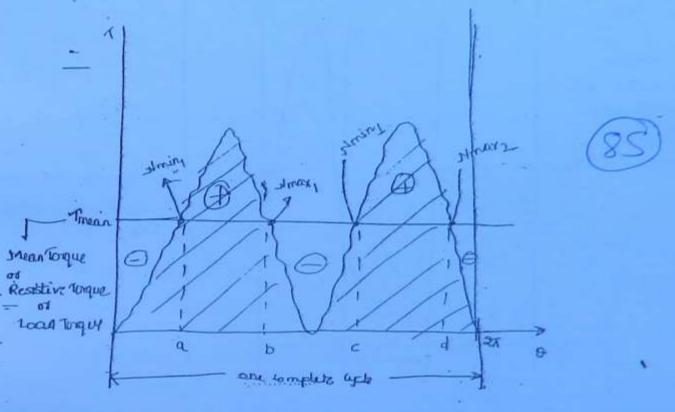
c Turing Moment on trant shaft !-

$$T = F_1 \cdot Y = \frac{F}{400} \cdot \sin(610) \cdot Y$$

$$T = f(0) -ic, T = f(1) \cdot \sin(610)$$

## PHADEN Fly Wheel

\* Turning Moment Diagram of Single Cylinder Double acting steam Engine:



Wyde > area under-(T-8) Diagnam

Tmean X2x = Waycle

Trees = Whyte

min ( Mmins , Hmins , ...

Mmin

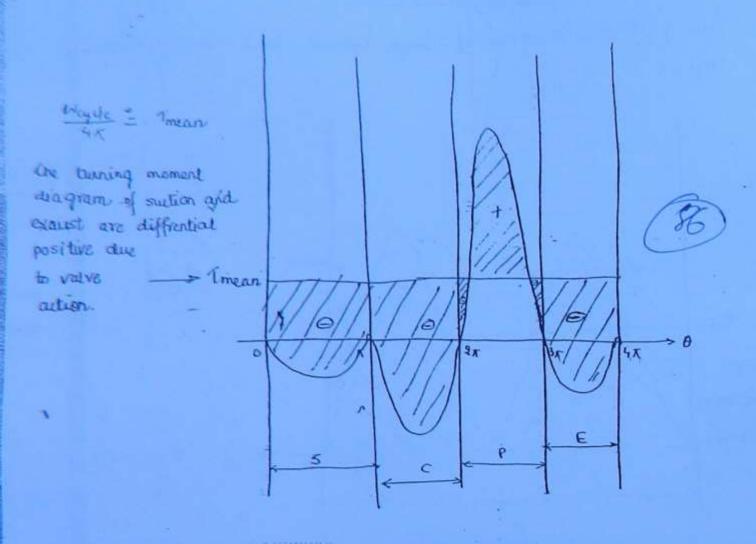
max ( Hmax , Hmax2 , ..

N miles

(Nmax - Hman)

Normally the flywheels are Bigger (heavier) in slow speed running engine and they are comparatively lighter in a high speed engine running engine.

\* terning Moment Diagram of Single Cylinder 4-stroke I.C. engine:



\* co-efficient of fluctuation of speed for the flywheel:-

$$\frac{3\%}{N} = \frac{N \max + N \min}{N}$$

$$\frac{3\%}{N} = \frac{N \max + N \min}{2}$$

$$\frac{3\%}{N} = \frac{N \min}{N} = \frac{N \min}{N}$$

$$\frac{3\%}{N} = \frac{N \min}{N} = \frac{N \min}{N} = \frac{N \min}{N}$$

$$\frac{3\%}{N} = \frac{N \min}{N} = \frac{N \min}{N} = \frac{N \min}{N}$$

$$\frac{3\%}{N} = \frac{N \min}{N} = \frac{N \min}{N} = \frac{N \min}{N}$$

$$\frac{3\%}{N} = \frac{N \min}{N} =$$

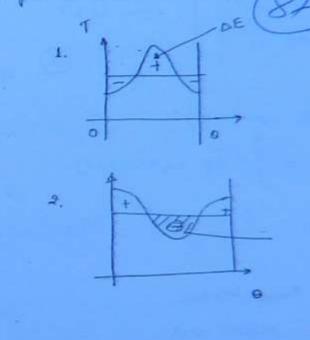
\* co-efficient of steadiness of speed for the flywheel.

100

" Co-efficient of fluctuation of energy of the flywheel :-

$$C_{\rm E} = \frac{E_{\rm max} - E_{\rm min}}{w_{\rm cycle}}$$

Maximum fluctuation of Energy
Variation



tuned by the crank from EDC. If the resisting torque is constant and the maximum fluctuation of speed with to mean sheed which is 300 r.p.m. should not be more than 3%. Find

it Power of the engine

it mass of the flywhed required having the radius of Cyration

from the IDC

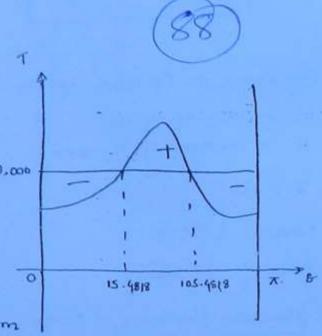
Hormonic function

T = 20,000 + 9500 sinzo - 5700 (8)20

Cs = 0.43

$$40.20 \Rightarrow \frac{1}{1} \qquad \frac{1}{1 + cc} \Rightarrow \frac{1}{4}$$

$$30.20 \Rightarrow \frac{1}{1} \qquad \frac{1}{1 + cc} \Rightarrow \frac{1}{4} = \boxed{4}$$



1) P = Trucken Wreson

= . ROJO00 X105

= \$0,0000 % Watt

P = . (200 x ) twatt

foints where T- wive cuts Thear line at these point

. T= Trean

26\_ = 30.9637°, 210.9637°, 990.9637°,

6 = 15.4819 , 105.4818 , 195.4819

iii > 
$$(T-T_{mean}) = I-\alpha$$
  
 $b=45$   
 $9500 = 1-\alpha$   
 $\alpha = 9500 =$ 

Sque:-
$$T = 5000 + 1500 \sin 38 \longrightarrow \frac{21}{3}$$

$$T_{mean} = 5000 + 600 \sin 8 \longrightarrow \frac{21}{1}$$

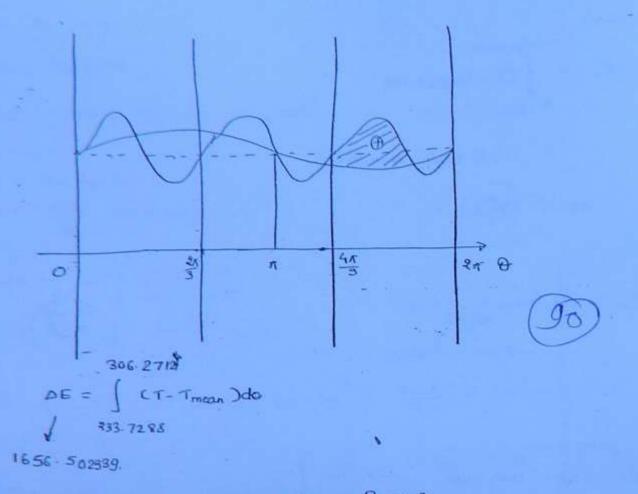
Points where I care cuts Imean curse:

$$8 = 0.77, 27$$

$$5 \ln 0 = \pm \sqrt{\frac{13}{20}}$$

$$-\sqrt{\frac{13}{20}}$$

$$306.27/2^{3}$$



\* Requirement of Flywheel en Bower Press :-

Such A punching bress is used to punch 120 Roles per/hour. We diameter of the whole is. 20mm and the thickness of the sheet is 10mm. It requires 7. Nem of Energy per mm² of straned area. If each punching operation requires 1/5 sec. and the speed of the Hywhed fluctuates from 120 to 1000 r.p.m. during during during punching. What should be the mass of the flywheel require for this punching operation. If radius of gyration is 0.3m.

$$C_{S} = \frac{120 - 100}{170} = 0.1818$$

$$C_{S} = \frac{120 - 100}{170} = 0.1818$$

$$C_{S} = \frac{2K \times 110}{60} = 11-5192 \text{ racks}$$

720 holo/hr 120 holy/ 3600 hr 0.2 holes /sec I holy/ssec. + lycle time I hole / & sec - Exact punching line A shared = 1 (20) x10 = (200 T) mm2 Ehole = 7x200 x ) Ehole = 1400% Towley Metor "-- Prnotur = Energy Req. /sec = Etale x No. of heles/sec  $= 1400 \pi \times \frac{720}{3600}$ = (280) \* Walt 7/5. Punching: ( \frac{1}{5} sec) Equalable = 280 T x ! = (56 K) Toulg Effele = 1400 # Jouly [1400 N - 567] = 1 W.Cs

$$= \frac{1}{100} \times \frac{120}{3600}$$

$$= \frac{1400}{100} \times \frac{720}{3600}$$

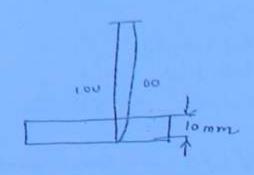
$$= \frac{1400}{100} \times \frac{120}{3600}$$

$$= \frac{1400}{100} \times \frac{110}{3600}$$

$$= \frac{1400}{100} \times \frac{1}{100}$$

\* Cycle time -> 5500 Exact purching time -> 9?

stroke Length - 100 mm



Exact punching time?

$$\omega = 7$$

crant

ex rotation for one cycle is,

CS = 0.2

360 \_\_\_\_ 55EL

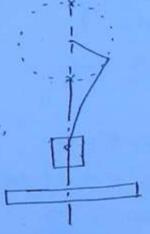
Page - 40

Protor = 1500 W

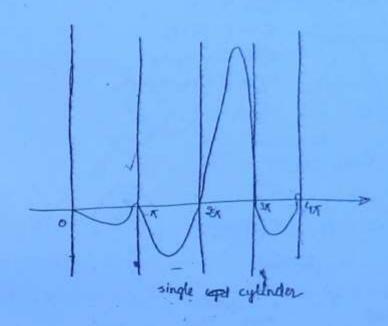
Ehole . = 3000 sales

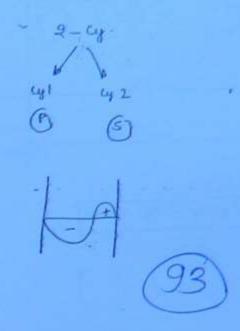
Fract Purching The = 1/6 sec

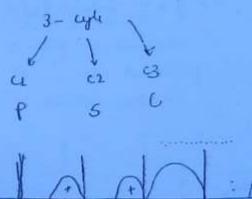
Exact-purching is done in 45° of crank rotation

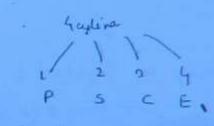


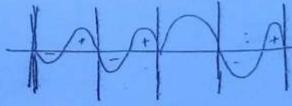
360 25er 194- 425er

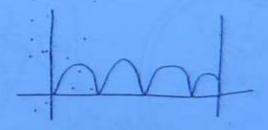








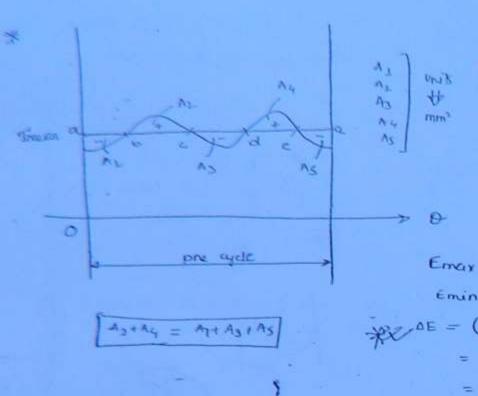




5/6

forman Towar

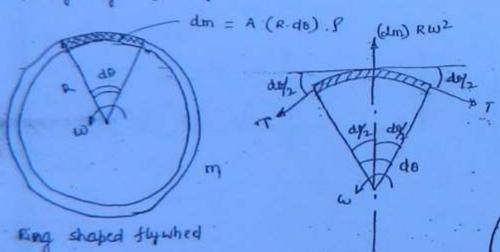
concept of Multi-cylinder was introduced not to increase the power of rather it is introduced to uniform power i.e., uniform tenning moment.



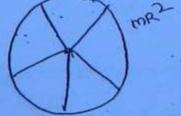
A 1 
$$A_1$$
  $A_2$   $A_3$   $A_4$   $A_5$   $A_5$ 

= 35 x \$ x 10 fowler = [162] 5

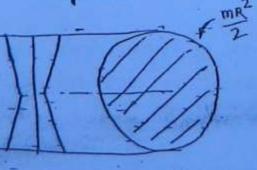
\* Designing of flywhed :-



mR2 < 1 < mR2.



Ring shaped fluywheel

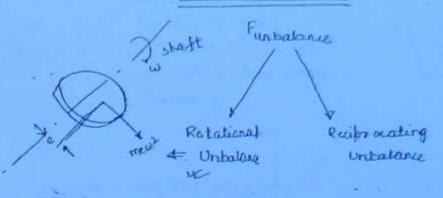


## BALANCING

EF=D

EM =0

(one question sure)



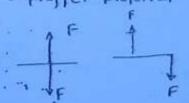
Balancing syramic

static Balaning

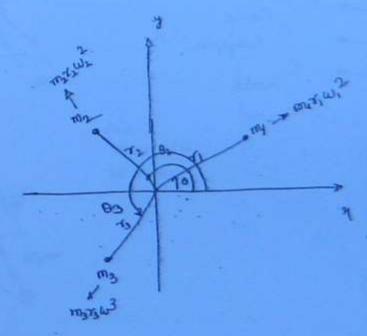
Z F=0

Balaring if, All thrasses are rotating in the same

Plane, static balancing is traffer preferred

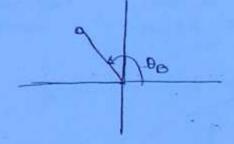


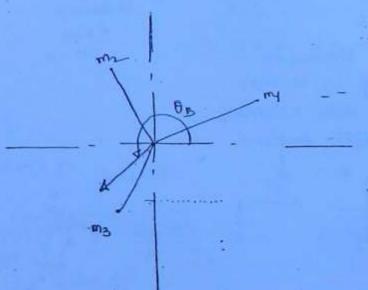
Static Balancing :-



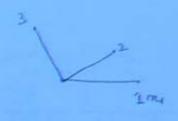
my 7, 62 (650) + m2 72 62 (6002 + m35 w 60) + m8 76 62 (650) = 0 morg costs = - [(mx cos) - 1)

$$x = m_B T_B = \sqrt{\{-\Sigma_{mylose}\}^2 + \{-\Sigma_{mysime}\}^2}$$





 $m_1 r_1 = 2$  What should be the  $m_2 r_2 = 4$  position of mass  $m_3 r_3 = 5$  ? and 3 w.r.t. mass  $m_3 r_3 = 5$  in order to have complete  $m_3 r_4 = 6$ 



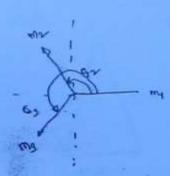
$$m_1 \tau_1 \cos \alpha_1 + m_2 \tau_3 \cos \alpha_2 + m_3 \tau_3 \cos \alpha_3 = 0$$
  
 $7 \cos \alpha_1 + 9 \cos \alpha_2 + 5 \cos \alpha_3 = 0$   
 $- 4 \cos \alpha_2 + 5 \cos \alpha_3 = -2$ 

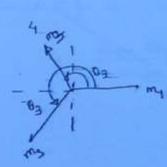


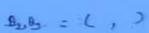
$$m_{2} r_{2} \sin \theta_{2} + m_{3} r_{3} \sin \theta_{3} = 0$$

$$4 \sin \theta_{2} + 5 \sin \theta_{3} = 0$$

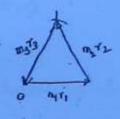
$$\Rightarrow 4 \sin \theta_{2} = -5 \sin \theta_{3}$$

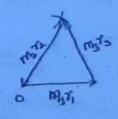






ENO WILL





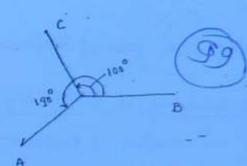
two value will ( ) be same

Dynamic Balancing: - (all the masses are not rotating in the same Plane) 549 my. m- 143 ans-0.3 m 0.1m 0.2 m 0-175 Force 05 m DISTURE TYPE R.P. 6.2 m 0.3m hamin mrl 灵 Phoen my 敌 m R.P. 0.8 -03 -0.24 0.2 4 0 alm, 0-1 3 0.3 6.30 5 0.2 15 4 0.7 0-1 5-1m4 10.070 mg 190 my mement Polygon Force Polygon scale 0 08 0.0114 ·0.172

Que: 2

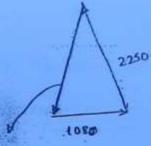
Planes	Ju.	7	my	1	m, y, L
A	m <sub>A</sub>	8	€m <sub>A</sub>	0	0
8	19	-6	las	fo	T 0.80
C	125	6	75-0	30	2,250
D	no	8	8mb	30+2	8mp (30+2)

A		BARG	C (2.21C)	10
lcm.		Bon	Gem	3000
	loun	- 10 m	J1 - X	
	-7			

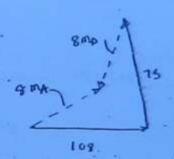


Moment Polygon

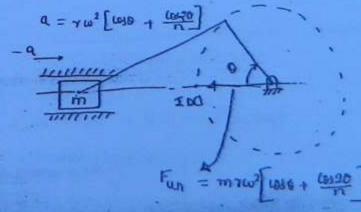
scale:

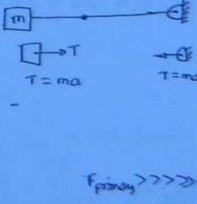


Force Polygon



\* Balancing of Reciprocating masses: -

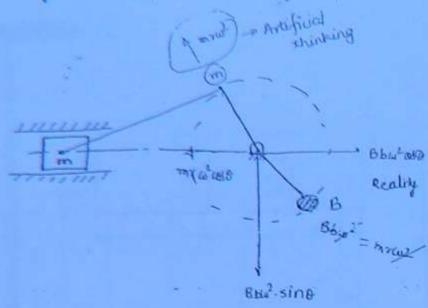




Francy Francy.

madess + material

\* Primary Balancing of Reciprocating Masses:



We will never balance Reciprocating masses completely.

Itatial Balancing of Reciprocating masses :-

Let c - Fraction of Reciprocenting mass to be balanced 0< C<1

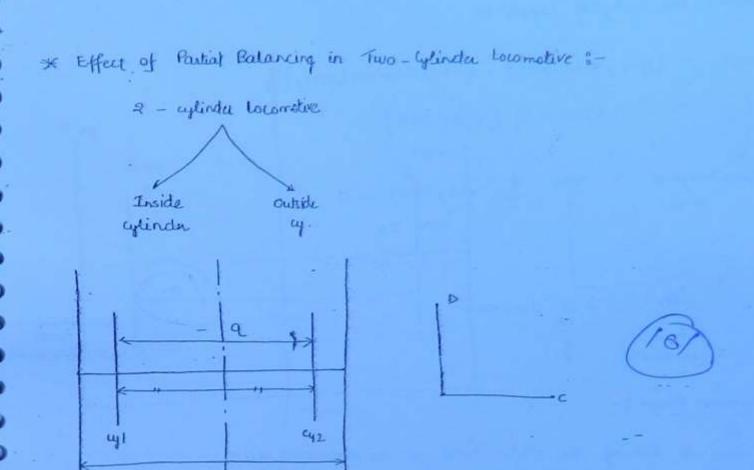
B.b = cm.y => < m.y

For catory the kine of stola

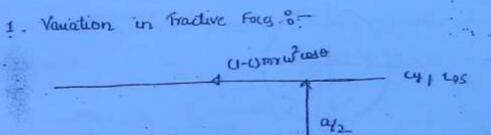
> mrulego - B. bulleno Cm-Y

= (1-c) mrw wo

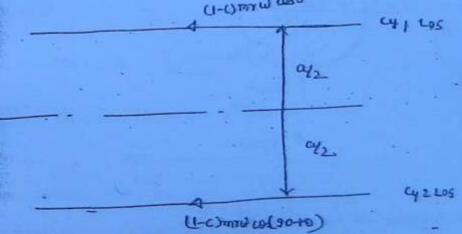
Fun (197 to the line of shor) = Bbw2 sino = Cm. y. w2 sing

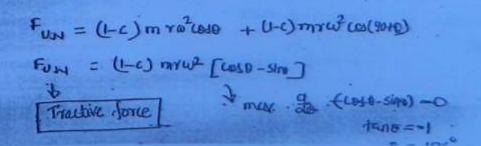


Wheel



Wheel





FUN= 1 /2 (HC) mille dona de Variation

Variation in swaying couple :
touple =  $\{(1-c) \text{ m} \text{ rw}^2 \text{ cmo}\}_{\frac{q}{2}}^{\frac{q}{2}} - \{(1-c) \text{ m} \text{ rw}^2 \text{ cms}(90+0)\}_{\frac{q}{2}}^{\frac{q}{2}}$ =  $(1-c) \text{ m} \text{ rw}^2 \frac{q}{2} \left[ \cos \theta + \sin \theta \right]$ See Swaying max.  $\frac{d}{d\theta} (\cos \theta + \sin \theta) = 0$ 

Example 
$$max$$
.  $\frac{d}{d\theta}(ceso + sino) = 0$ 

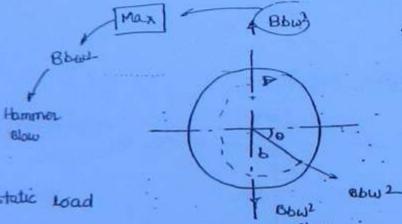
temple  $trans = 1$ 
 $6 = 45^{\circ}, 225^{\circ}$ 



#### 3. Harnmer Blaw :-

wheel - Francis the state load in the deconward dirth

and attacked attacked in different plane



Super Passanger Lacomolive

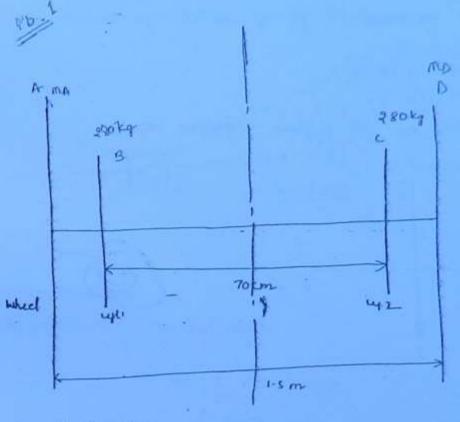
BDW2 & PANheel static Load

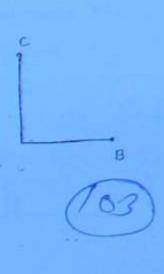
up is restricted

+ Bbω2

Hamma blow - Bbw2

Balance a fraction of reciprocating mass of the whide





N= 300 T.P.M.

Total mass to be balance = Rot +  $\frac{9}{3}$  Recubrocalies = 160 +  $\frac{2}{3}$  × 180 = 980 kg.

Hammer Blow 
$$6 = 86\omega^2$$

$$880 - 50$$

$$120 - \frac{50}{890} \times 120$$

Smaying couple = 
$$\pm \sqrt{2} (1-0 \text{ my})^2$$
  
 $\pm \frac{\alpha}{\sqrt{2}} (1-0 \text{ my})$ 

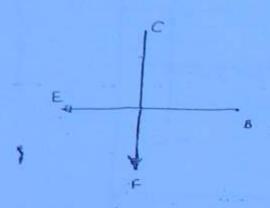
E mass of Each CP = 100 kg

Radius of rotation of

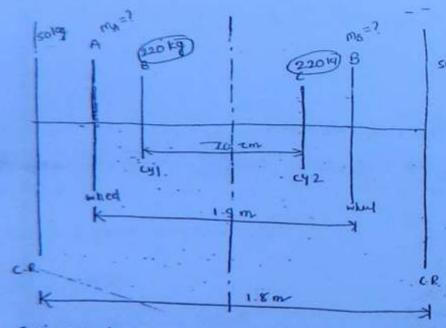
C-R Pin = 0.6m.

Plane gaps for C.P.'s = 18 m

The execution Rod are 188 to their Respective crants.







### Pby-1

soky on the driving wheel along with their position in order to have balancing

Trailing which

Hammor B

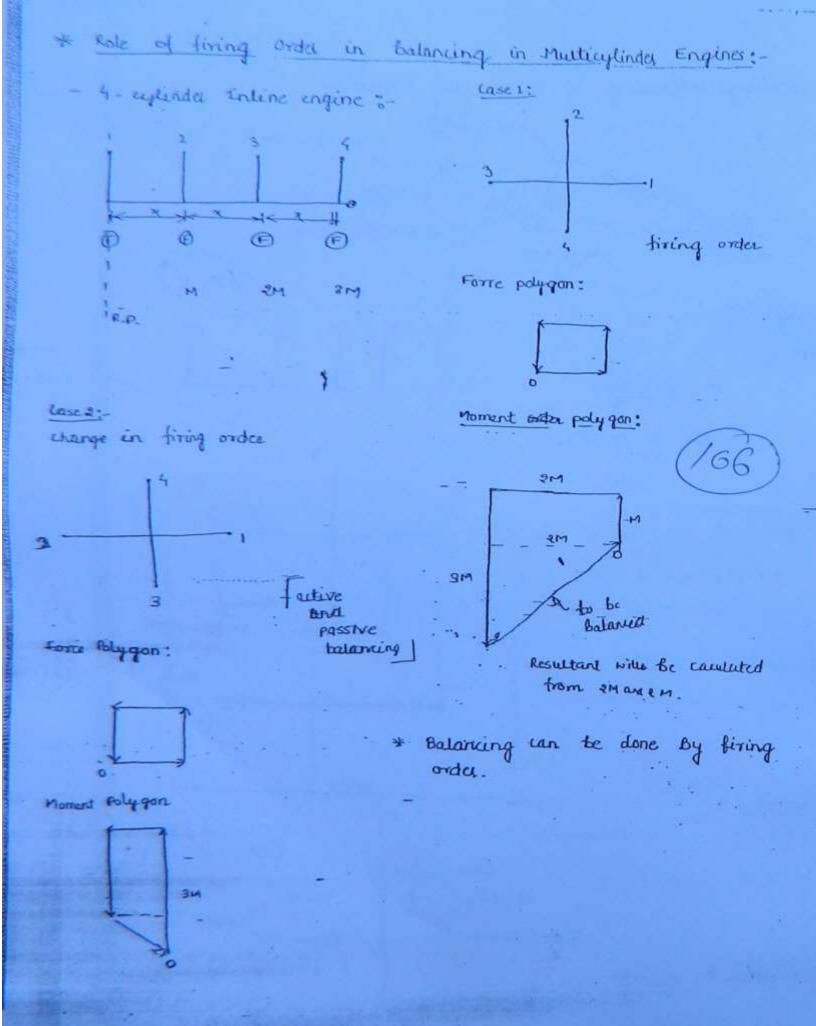
Bask concept

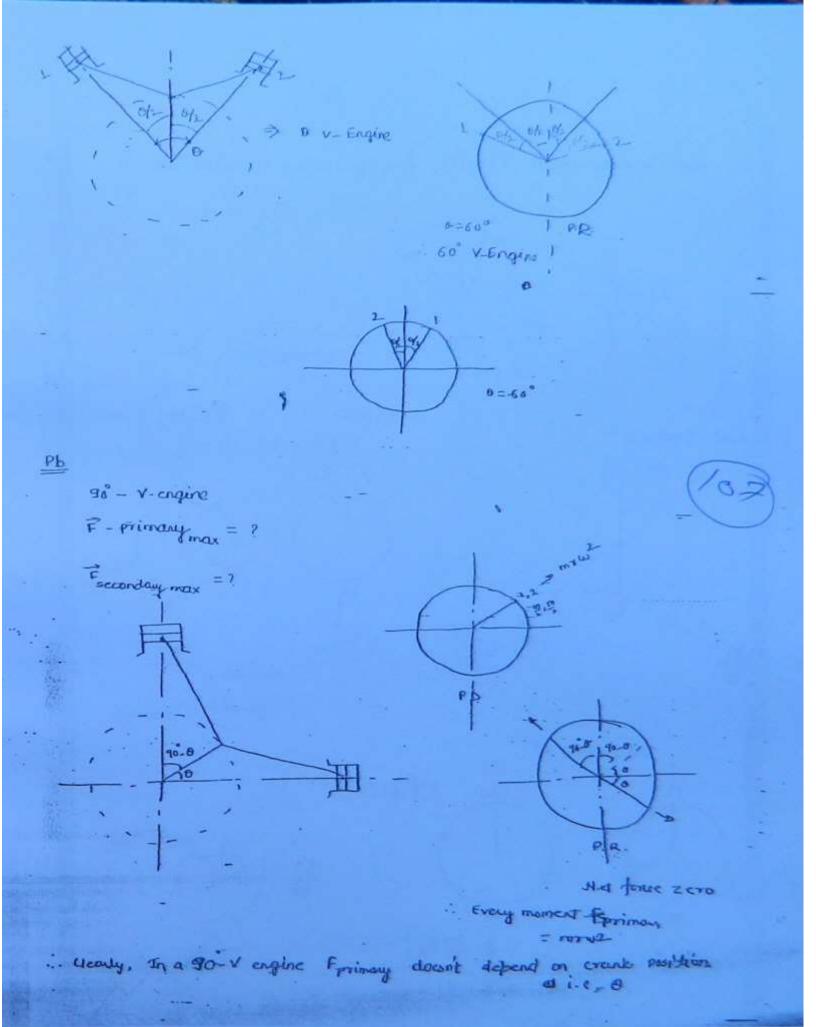
Rol 
$$\rightarrow$$
 Koty  $-(0)$ 

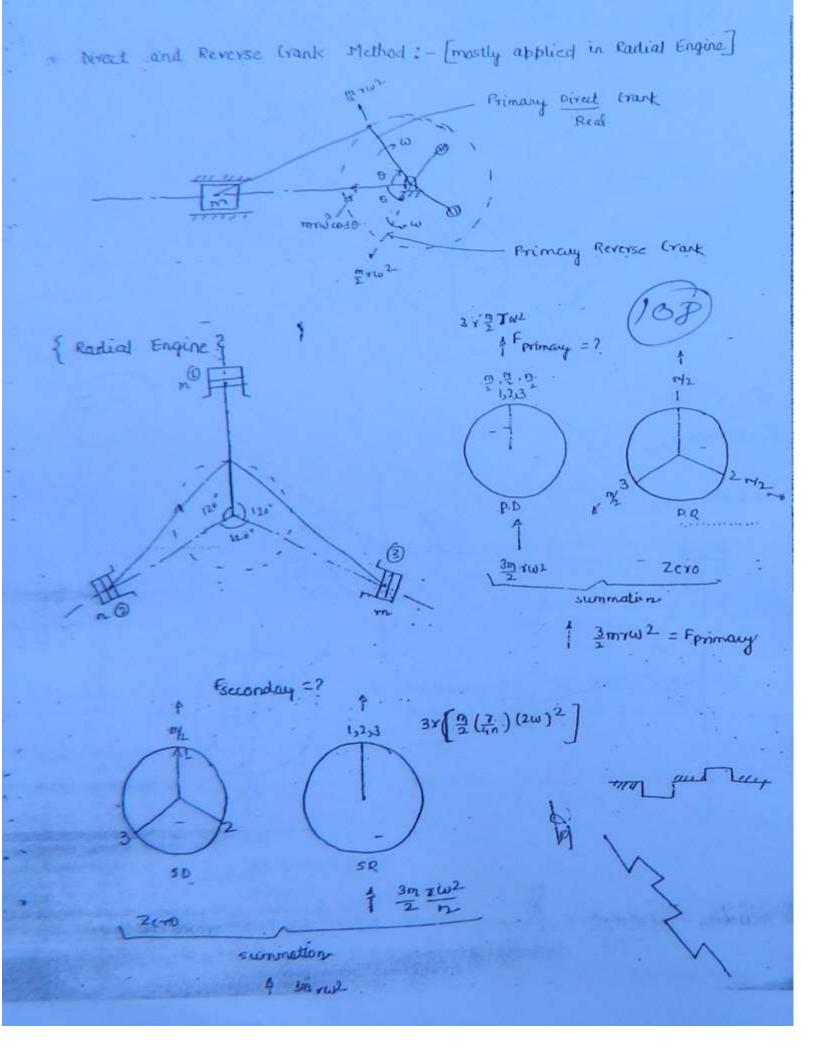
Rol  $\rightarrow$  180 by

 $-|c_{0}| - |c_{0}|$ 
 $|c_{0}| - |$ 

- Secondary Balancing of Reciprocating Masses: Secondary crank July arso Primary mrw2 cost m rut. cowo  $= m \cdot \frac{\gamma}{4\pi} \cdot (2\omega)^2 \cdot \omega = 0$ Primary configuration diagram

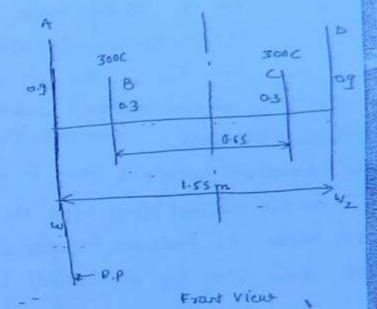


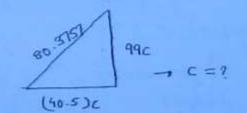


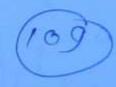


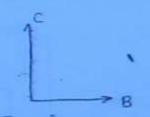
$$(46 \times 10^{3}) = 8.(0.9) \left(\frac{96.5 \times 5/18}{\sigma - 9}\right)^{2}$$

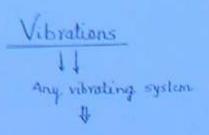
Plan	m	78	m-r	2	mre
Α	57 £ 170	0.9	51.9553	D	0
В	300C	0-3	300	0.45	405C
c	3000	3ء	90 C	#1	99c
D	57-6170	0.9	51-8553	1-55	96.3757











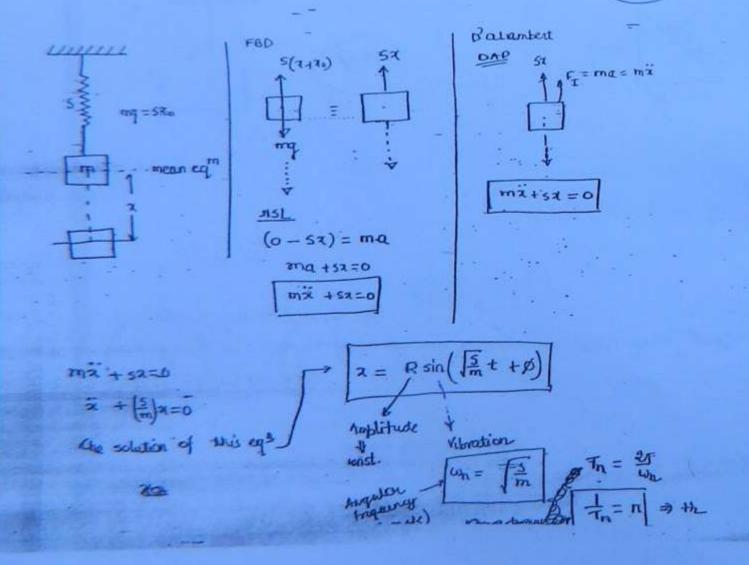
Sing Sing Sing Cons

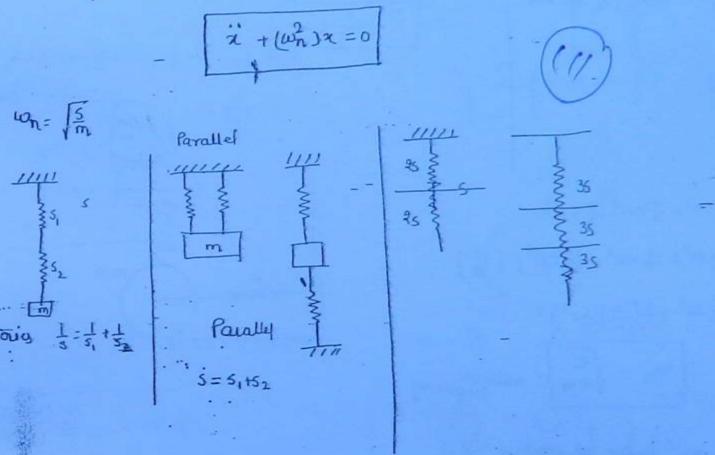
is rection to (Damping)

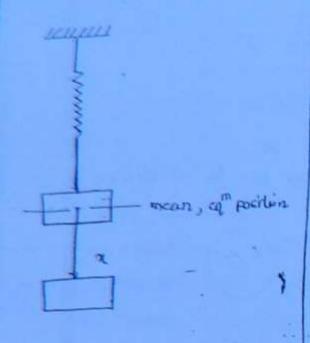
iv) For this will came probration.

\* Natural Vibrations. (Force Method)

the vibration in which there is no friction at all as well as there is no that external Horse after the initial release of the system, are known as Natural Vibration. These vibration was seen at atomic level by six fallitio.







$$E = \frac{1}{2}mv^{2} + \frac{1}{2}sx^{2}$$

$$\frac{dE}{dt} = 0$$

$$\frac{1}{2}m \cdot 2v \cdot \frac{dv}{dt} + \frac{1}{2}s \cdot 2x \cdot \frac{dx}{dt} = 0$$

$$mx + 5x = 6$$

$$x + (\omega_{n}^{2})x = 0$$

$$E = \frac{1}{2} s x^{2} + \frac{1}{2} m x^{2} + \frac{1}{2} T \overline{\omega}^{2}$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} m x^{2} + \frac{1}{2} \left( \frac{m Q^{2}}{2} \right) \cdot \left( \frac{v^{2}}{g x} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \left( \frac{3n}{2} \right) \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \left( \frac{3n}{2} \right) \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \left( \frac{3n}{2} \right) \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$= \frac{1}{2} s x^{2} + \frac{1}{2} \frac{3n}{2} \left( \frac{1}{4} v^{2} \right)$$

$$E = \frac{1}{2} S_{2}^{2} + \frac{1}{2} T \omega^{2}$$

$$= \frac{1}{2} S_{2}^{2} + \frac{1}{2} T \omega^{2}$$

$$= \frac{1}{2} S_{2}^{2} + \frac{1}{2} \left( \frac{mR^{2}}{2} + R^{2} \right) \cdot \frac{V^{2}}{R^{2}}$$

$$= \frac{1}{2} S_{2}^{2} + \frac{1}{2} \left( \frac{3m}{2} \right) \cdot V^{2}$$

# If string is having mass:

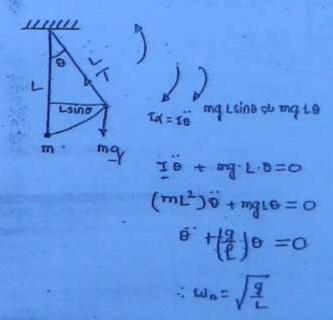
$$K.E_{spring} = \int_{0}^{\frac{1}{2}} \left(\frac{m_{s}}{L} \cdot dy\right) \left(\frac{v}{L} \cdot y\right)^{2}$$

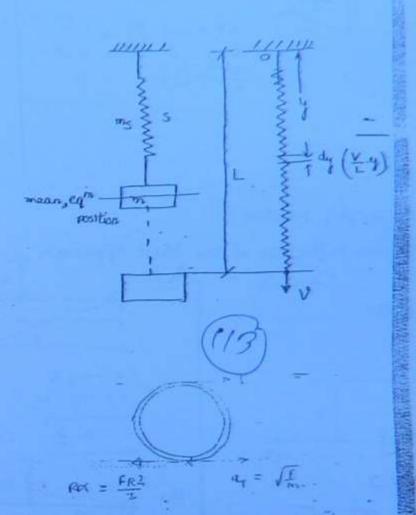
$$= \frac{1}{2} \frac{m_{s}}{L} \cdot \frac{v^{2}}{L^{2}} \cdot \frac{L^{3}}{3}$$

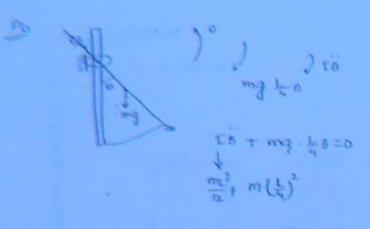
$$= \frac{1}{6} m_{s}v^{2}$$

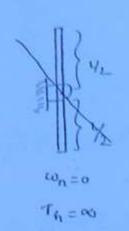
$$E = \frac{1}{2}S\chi^{2} + \frac{1}{2}mv^{2} + \frac{1}{5}m_{5}v^{2}$$
$$= \frac{1}{2}S\chi^{2} + \frac{1}{2}(m_{5}m_{5})v^{2}$$

$$\omega_n = \sqrt{\frac{5}{m_4 \frac{m_5}{3}}}$$

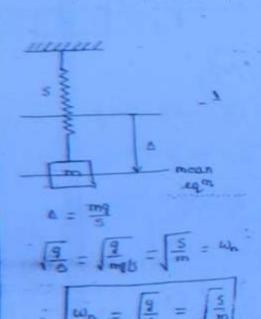


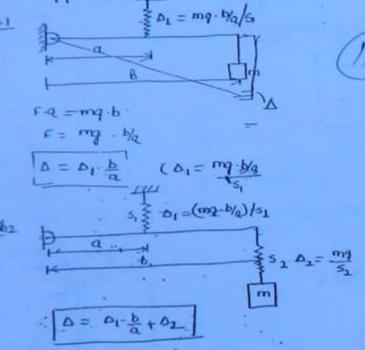


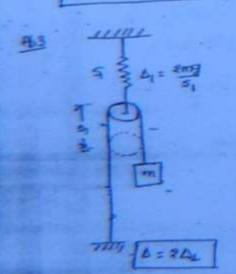


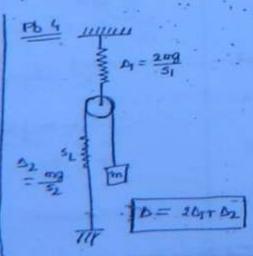


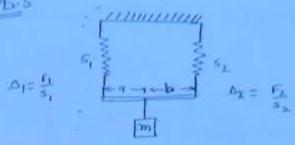
or Static Deflection of the Mass Approach 14







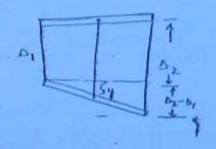




$$\begin{aligned} & c_{i+}c_{i} = mg & = 0 \\ & c_{i+}c_{i} = c_{k+}c_{k} & = 0 \end{aligned}$$

$$c_{i+}c_{k} = mg & = 0$$

$$c_{i+}c_{k+}c_$$



$$\frac{\Delta_2 - \delta_1}{a_{+b}} = \frac{q}{q}$$

$$q = (\Delta_2 - \delta_1) \left(\frac{q}{a_{+b}}\right) - \frac{q}{q}$$

# \* Longitudinal Vibration of Beams:

Strain = 
$$\frac{\Delta L}{L}$$

$$= \frac{mg}{\Lambda} \left[ A = \frac{\pi}{L} D^{2} \right]$$

Strain =  $\frac{\Delta L}{L}$ 

$$= \frac{(mg/\Lambda)}{(\Delta L/L)} \Rightarrow$$

$$\Delta L = \frac{(mg/\Lambda)}{(\Delta L/L)} = \frac{FL}{\Lambda E}$$

$$\omega_{n} = \sqrt{\frac{q}{\Lambda}} = \sqrt{\frac{q}{FV}} AE$$

$$\omega_{n} = \sqrt{\frac{q}{\Lambda}} = \sqrt{\frac{q}{FV}} AE$$

$$\omega_{n} = \sqrt{\frac{\Lambda E \cdot g}{GL}} a$$

$$\omega_{n} = \sqrt{\frac{\Lambda E \cdot g}{GL}}$$

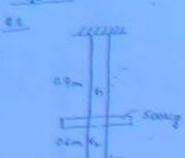
$$\omega_{n} = \sqrt{\frac{\Lambda E \cdot g}{GL}}$$

$$\Delta L = \frac{FL}{AE}$$

$$Ef \Delta L = Im$$

$$F = \frac{AE}{L} \implies S \text{ stiffness}$$

$$\omega_n = \sqrt{\frac{S}{m}} = \sqrt{\frac{AE}{L \cdot m}}$$



$$S_1 = \frac{AE}{L_1}$$

$$S_2 = \frac{AE}{L_2}$$

$$S = S_1 + S_2$$

$$E = \sqrt{\frac{S}{S + 2}}$$

$$r_k = \frac{\omega_k}{2\pi}$$

$$mq = \frac{c_{i+1}c_{2}}{\Delta L}$$

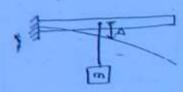
$$\Delta L = \frac{c_{i}c_{i}}{\Delta E} = \frac{c_{i}c_{i}}{\Delta E}$$

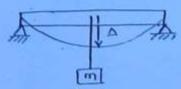
$$\Delta W = W$$

$$\omega_{0} = \sqrt{\frac{g}{\Delta}}$$

### \* Transverse Vibrations of the Beam: (Across the Length)



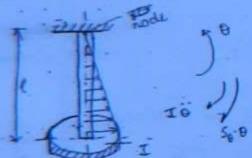




$$\omega_{\mathbf{r}_{i}} = \sqrt{\frac{q}{\Delta}}$$



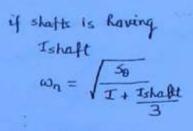
#### Forsional Whattien :-

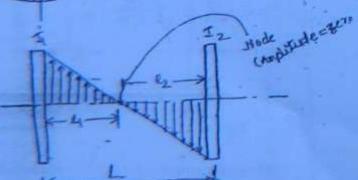


$$1 \ddot{\theta} + S_0 \cdot \theta = 0$$

$$\theta + \left(\frac{S_0}{I}\right) \theta = 0$$

$$\omega_n = \sqrt{\frac{S_0}{I}}$$





Mo. of node folics = (n-1).

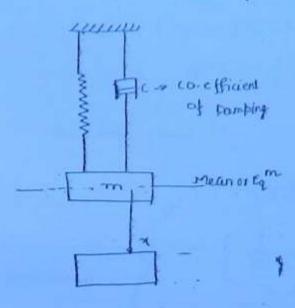
$$\frac{S_{B_1}}{T_1} = \sqrt{\frac{S_{B_2}}{T_2}}$$

$$\frac{S_{B_1}}{T_1} = \frac{S_{B_2}}{T_2}$$

$$\frac{S_{B_1}}{T_2} = \frac{S_{B_2}}{T_2}$$

Rotors: n

\* Damped Vibration: (Friction #0)



PAP:-

$$m\ddot{x} + (x\dot{x} + s\dot{x}) = 0$$
 $\ddot{x} - (\frac{c}{m})\dot{x} + (\omega_n^2)\dot{x} = 0$ 

One solution of this eq<sup>2</sup>:-

 $x = Ae^{it} + Be^{ixt} (x_1 \neq x_2)$ 
 $x = (A+Bt)e^{ixt} (x_1 = x_2 = x_1)$ 

$$\alpha_{1,2} = -\frac{c}{m} \pm \sqrt{\frac{c}{m}^2 - 4\omega_n^2}$$

$$\alpha_{1,2} = -\frac{c}{2m} \pm \sqrt{\frac{c}{2m}^2 - \omega_n^2}$$

$$\frac{\left(\frac{c}{2m}\right)^{2}}{w_{n}^{2}} \Rightarrow \text{ Degree of Dampness}$$

$$\sqrt{\frac{|c|^{2}}{|a|^{2}}} = \text{ Deambirg factor or Damping Ratio } (\frac{c}{3})$$

$$\frac{c}{\sqrt{2}} = \sqrt{\frac{c^2}{4m^2}} = \frac{c}{4\sqrt{sm}}$$

Cf 3>1 = over damped system

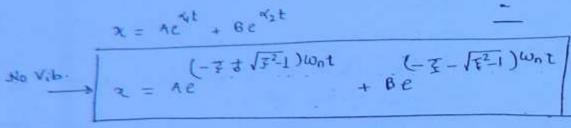
No Vib.

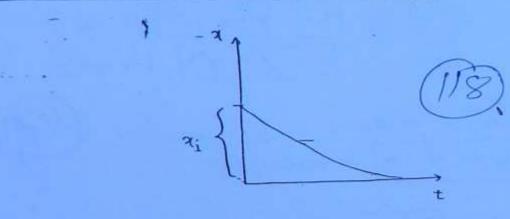
\$ \$51 = entirally bambed system No Vib.

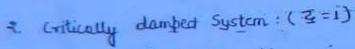
II- 321 > Unda damped System

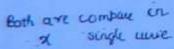
Yib

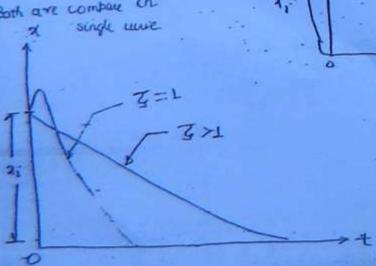
### Over damped system : (371)









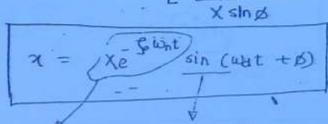


3. Undet = Dambing (
$$5<1$$
)
$$\alpha_{1,2} = (-5 \pm \sqrt{5}-1) \omega_n \theta$$

$$= -3\omega_n \pm i \sqrt{1-5^2} \omega_n$$
  $\omega_0 = const < \omega_n$ 
The solt will be:-

$$7 = Ae$$

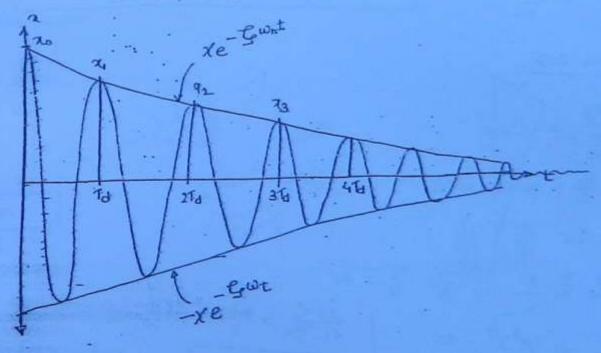
$$= e^{-\frac{\pi}{4}} \left[ (A+B) \cos(\omega t) + \frac{\pi}{4} (A+B) \sin(\omega t) \right]$$



Amblitude frust time

$$T_{cl} = \frac{2\pi}{\omega_{cl}} = \omega_{cl}$$

Xwd



uendy:

att = Td

at T= 27d

$$\frac{30}{24} = \frac{24}{32} = \frac{34}{33} = \dots = e \quad = const$$
Necrement Ratio

Logarithmic occrement (8):

$$\delta = \frac{2i \, \mathcal{G}}{\sqrt{1-\mathcal{C}^2}}$$

겆

Critical damping Co-efficient :-

$$\zeta = \frac{c}{c_c} = \frac{\text{actual Dambing Co-efficient}}{\text{Critical Dambing Co-efficient}}$$

Page No. 70 Work Book.

$$\Rightarrow (e^{\delta})^{7} = 3.5$$

$$\Rightarrow e^{7\delta} = 9.5$$

$$75 = 10.2$$

$$\frac{2x \cdot \zeta}{\sqrt{1-\zeta^2}} = \frac{6,9.7}{7}$$

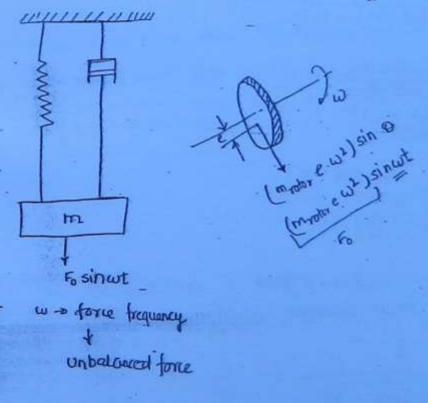
$$\zeta = 0.020828$$

$$W_{d} = .0.020828$$
 $W_{d} = \sqrt{1-\zeta^2} \cdot W_{n}$ 
 $W_{n} = 10.7734 \text{ rad/s}$ 
 $W_{n} = \sqrt{\frac{5}{m}}$ 
 $S = 670.507 \text{ N/m}$ 
 $C = \frac{2}{3}658 \text{ N/(m/s)}$ 
 $C = \frac{C}{c}$ 

$$z = \chi e^{-\frac{1}{4}\omega_{n}t} \sin(\omega_{d}t + \beta)$$

(2)

\*\* Forced Damed Damped Oscillations / Vibration :(Perfect Replify)



Cc = 161.661 N/(m/s)

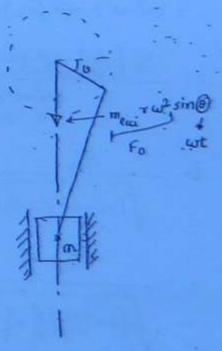
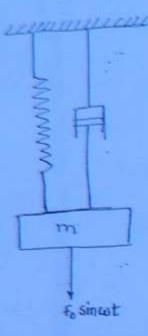


fig. Vertical engine

Forced Namped Vibration (Perfect Reality)



$$m\ddot{x} + c\ddot{x} + sq - F_0 sin\omega t = 0$$

$$\ddot{z} + (2 G \omega_n) \dot{x} + (\omega_n)^2 x = \frac{F_0}{m} sin\omega t$$

$$G_0 \circ final sol^n is  $q = CF + P.I.$$$

$$FT = \frac{\text{(Folym) sinut}}{D^2 + (2 \le \omega_n) D + \omega_n^2} = \frac{D \Rightarrow \text{Differential observator}}{D^2 = -\omega^2}$$

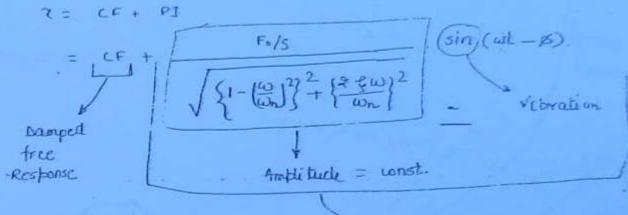
$$(\omega_n^2 - \omega^2) = (2 \le \omega_n) D$$

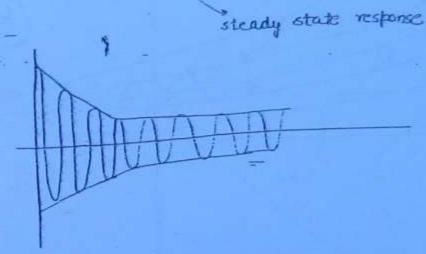
$$= \frac{f_{0/m-\sin\omega t}}{(\omega_{n}^{2}-\omega^{2})+(9 \zeta \omega_{n})^{5}} \times \frac{(\omega_{n}^{2}-\omega^{2})-(9 \zeta \omega_{n})}{(\omega_{n}^{2}-\omega^{2})-(2 \zeta \omega_{n})}$$

$$= \frac{\frac{F_0}{m} \left[ (\omega_n^2 - \omega^2) \sin \omega t - (2 + \omega \cdot \omega_n) \cos \omega t \right]}{(\omega_n^2 - \omega^2)^2 + (2 + \omega \cdot \omega_n)^2}$$

$$=\frac{\frac{F_0}{m}}{\sqrt{(\omega_n^2-\omega^2)^2+(2\xi_1\omega\omega_0)^2}}\sin(\omega t-\beta)$$

$$=\frac{Fo/S}{\left[1-\left(\frac{\omega}{\omega_n}\right)^2\right]^2+\left(\frac{2G\omega}{\omega_n}\right)^2}$$





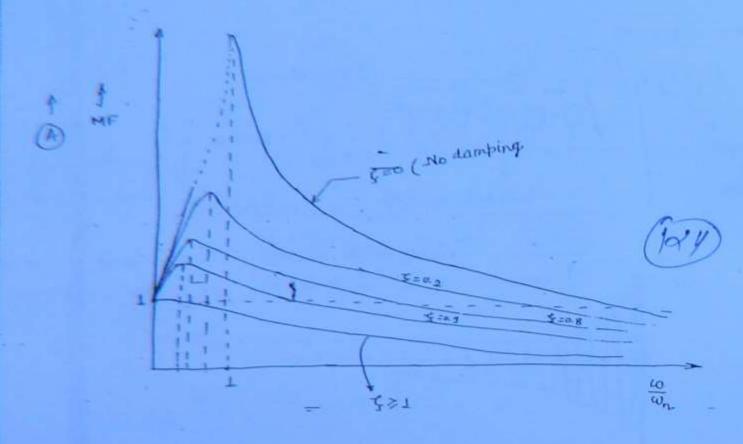
After some time when CF becomes Zero

The final sol<sup>h</sup> will be

when,  $A \rightarrow Amplitude$  of steady state Vib.  $X = A \sin(\omega t - \emptyset)$ Amplitude of forced Vib.

$$A = \frac{F_0/S}{\sqrt{\left\{1 - \left[\frac{\omega}{\omega_n}\right]^2\right\}^2 + \left\{\frac{2 - q_1 \omega_0}{\omega_n}\right\}^2}} \Rightarrow \omega_0 st$$

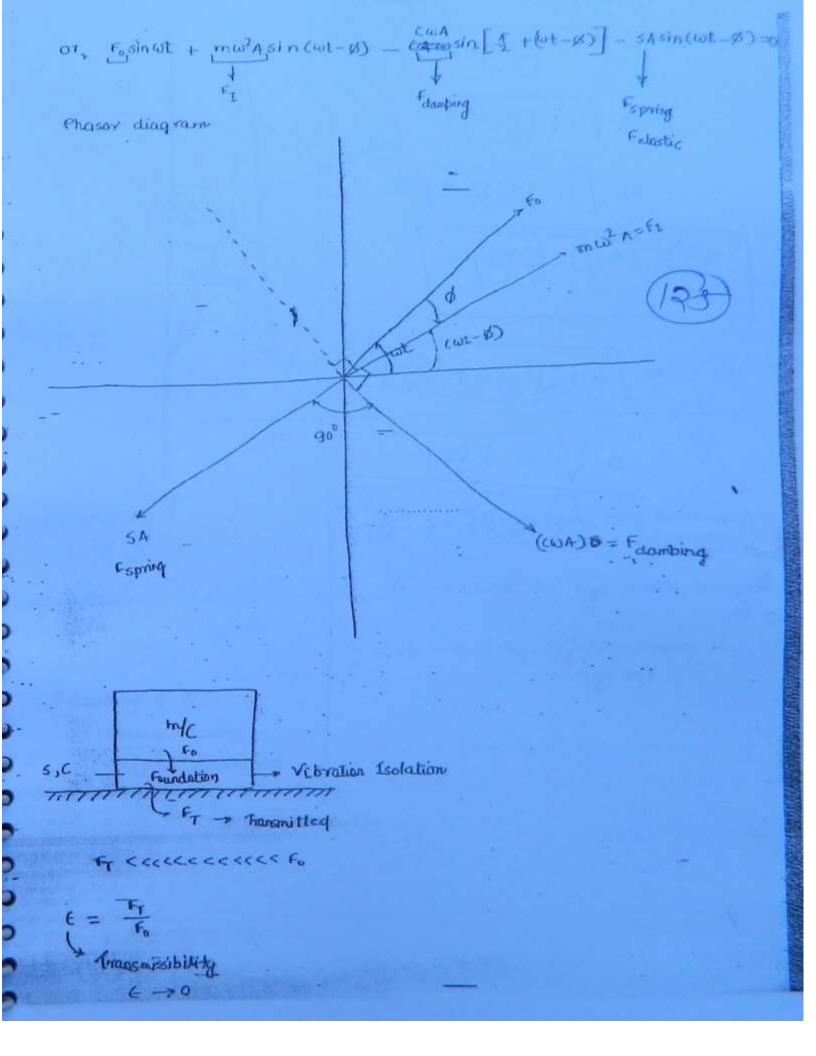
.. the amplitude is const.



More at a way and a damping case who we was a solution and a solu

## \* Vibration Isolation :-

 $z = A\sin(\omega t - \beta)$   $\dot{z} = A\omega \cos(\omega t - \beta) = A\omega \sin\left[\frac{\pi}{2} + (\omega t - \beta)\right]$   $\ddot{z} = -A\omega^2 \sin(\omega t - \beta)$   $m\dot{z} + c\dot{z} + s\dot{z} = F_e \sin\omega t$   $\sigma_e F_e \sin\omega t - m\ddot{z} + c\dot{z} - s\dot{z} = 0$ 



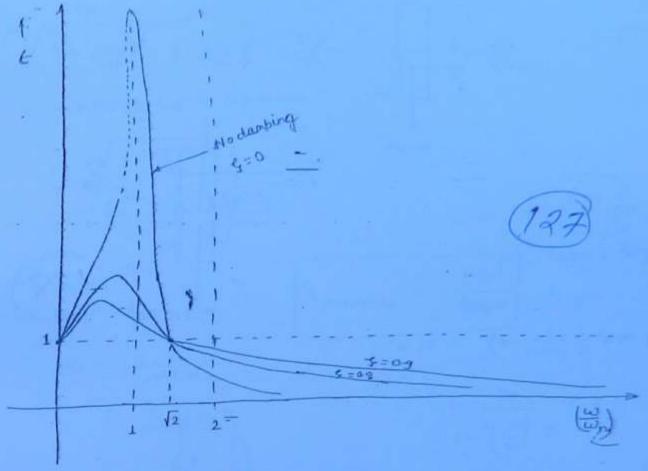
$$F_{T} = \sqrt{(SA)^{2} + (\omega A)^{2}}$$

$$= SA \sqrt{1 + (\frac{C\omega A}{SA})^{2}}$$

$$= SA \sqrt{1 + (\frac{2}{S}\omega A)^{2}}$$

$$= \sqrt$$

A JOSE



understamping  $\uparrow$   $\Rightarrow GV$   $\Leftrightarrow G$ 

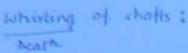
Adamping > & A

samping becomy

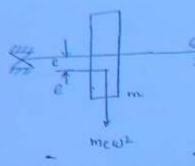
framful > detrimental

Ly w > \sqrt{2}

Up  $= \sqrt{12}$  - spring - Forour (Vuy less damping is required)  $\frac{\omega}{\omega_n} = \sqrt{12}$  - Little bit high damping is seq.  $\frac{\omega}{\omega_n} < \sqrt{12}$  - (Very - Vuy high damping is required).



Critical\_ whipping

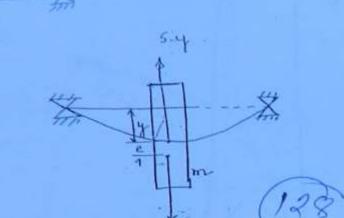


$$y = \frac{\sqrt{e}}{-\left(\frac{\omega_h}{\omega}\right)^2 - 1}$$

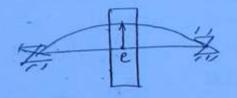


$$\omega_{0} = \sqrt{\frac{5}{m}} = \sqrt{\frac{1000}{17}}$$

Sychronous Motor is used to start and stop the turbine.



$$\int_{0}^{\omega > \omega_{n}} \omega = \omega_{n}$$



$$m_{piston} = 2 kq$$

$$T = \frac{75 m}{2000} m$$

$$W = \frac{217500}{60} \text{ rad/s}$$

$$W = 52.3598 \text{ rad/s}$$

$$F_0 = (m_{piston} \cdot T \cdot W^2) = 9 \times \frac{75}{2000} \times (58.3)$$

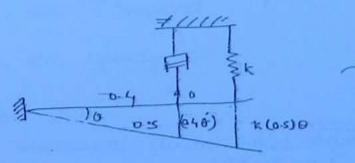
$$F_0 = (m_{piston} \cdot \tau \cdot \omega^2) = 9 \times \frac{75}{9000} \times (58.3598)^2$$
  
= 805.6161 M

$$C = 0.0636$$

$$C = \frac{F_{0}}{F_{0}}$$

Dru

18/19

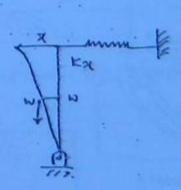


$$T\theta + C(04)\theta + \{k(05)^2 + k_0\}\theta = 0$$

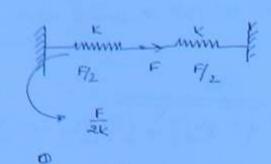
$$\frac{me^2}{3}$$

21

$$=\frac{k_{x300}}{1000}=\frac{300}{2}$$

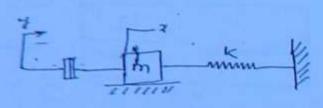


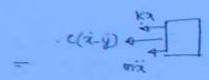
$$E_1 = \frac{T}{2} k \left( \frac{F}{2k} \right)^2 = \frac{F^2}{8k}$$

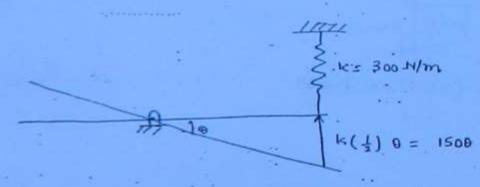


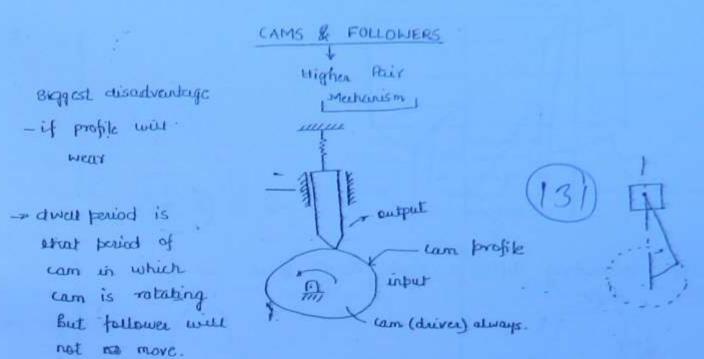
$$\frac{72 \times \frac{5}{18}}{\frac{20}{5}} = \frac{1}{12} \times \frac{4}{12}$$





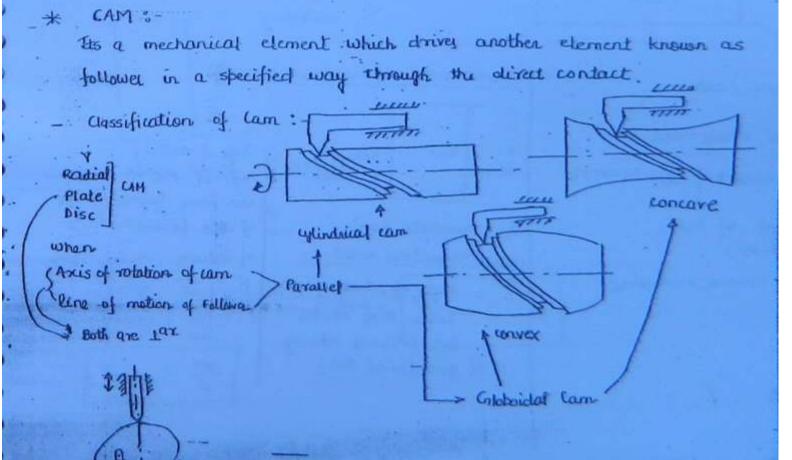


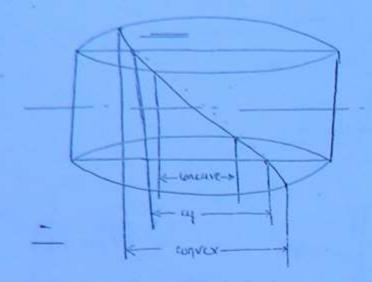




\* Both are equally good.

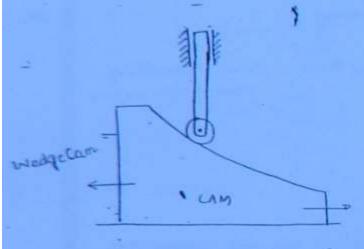
Use: Power Press, valve operating system mechanism





(33)

rig. representing different stroke length of in some spiral angle.



1. carm may be

< Reci

2. Follower may be

< Reci.

Scillatory.

Angular velocity = const = w)

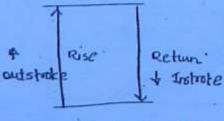
Ef cam not 8 | do = w = const.

One not of cam:

(0-20)

2 -> Fellower\_Displacement

In one not of lam (0-20):-



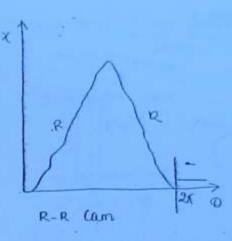
B<sub>R</sub> = Returstroke angle

8 = Angle of Dwell in which can notates.

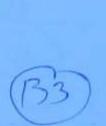
But Fallower relocity

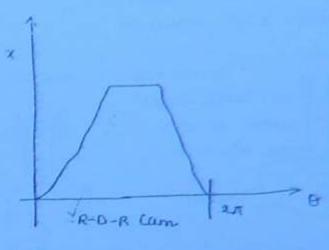
is zero (is at Rest.)

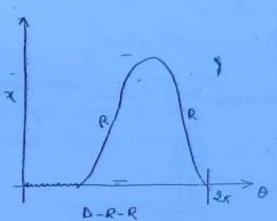
Angle of actions-Angle of rot of can from begining, of Rise to end of return

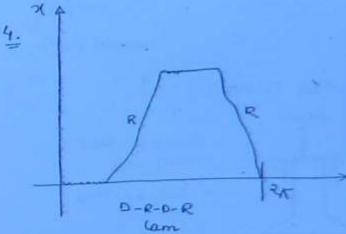


۹.









5 Rise Retiun

lam

s - stoke length of follower

$$t_0 = \frac{\theta_0}{\omega} \left| t_R = \frac{\theta_R}{\omega} \right|$$

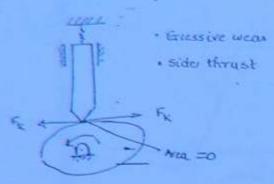
$$V_{omean} = \frac{5}{t_o}$$

$$= \frac{S}{t_o/\omega}$$

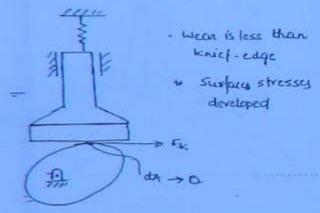
$$V_{omean} = \frac{\omega_S}{t_o}$$

Similarly, 
$$V_{R_4 \text{mean}} = \frac{\omega_S}{\sigma_R}$$

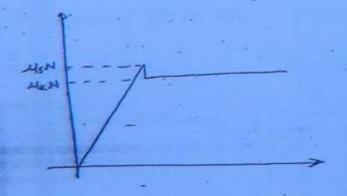
- \* Classification of Follower :-
- 1. knief edge follower :-



3. Flat - Face Followel:



if Flat face is virtular disc it is called Mushroom Follower



Roller Follower:

. Wear absent
. space requirement
. Space requirement
. Air crafts engine
. Air crafts engine
. Best

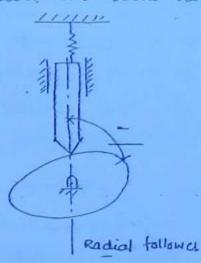
usteqory.

4. Spherical Faced Follower

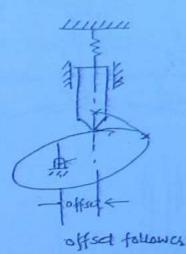
· surface stresses are less

. Used in I.c engline
-(Valve oberating mechanism)

\* Radial and offset follower :-



when line of action pass through centre of cours, it is called Radial follows.



given to reduce

(35)

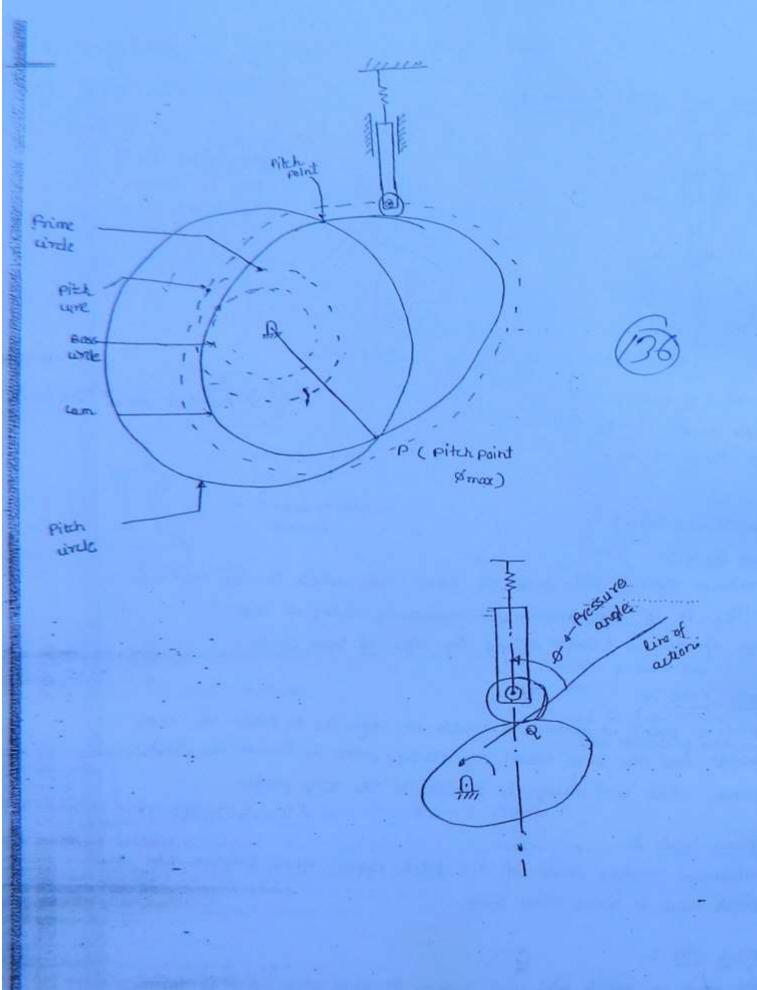
\* can Terminology:-

Hase lirele :
Minamum radius circle from the cam centre which touches the cam

profile. It is also known as minimum radius of cam.

Size of cam is always defined by size of base circle.

- 2. Frace Point :-
  - · It is a point on follower o which is required to trace the cam profile. And the curve traced by traced point is known as Pitch curve which will always be farallel to the cam profile.
- 3. Brime Lircle :minimum radius circle of the bitch were which touches the
  pitch were is called frime lircle
  - 4. Pitch Point or total pitch carre where bressure angle is maximum.
  - 5. Pressure angle:



\* Circulal are Carn with Flat face Follower :-

When the flanks of the cam are tangential to base circle and nose circle and is of convex circular arc such a cam is known as circular arc such a cam is known as circular arc six basic dimensions of the cam and are symmetrical cam

Basic Dimensions :

T1 - Radius of Base Circle

72 → Radius of Nose linde

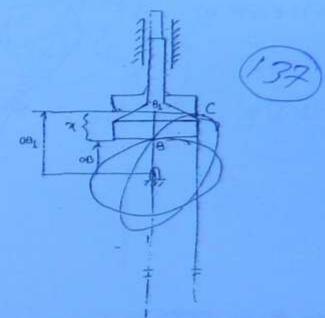
R -> Rad of flank

d -> Semi - Angle of action

\$ - Angle of Action on Flant

OQ ⇒ L (Centre distance from Base & Hose Circle

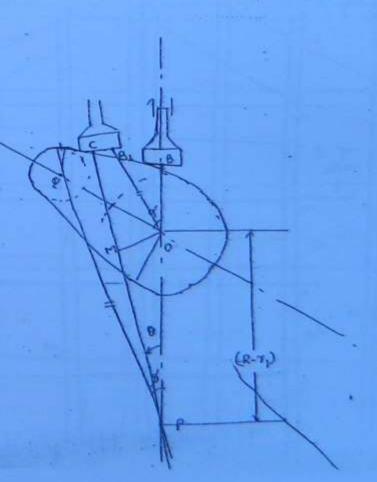
centre



Followar on Flank :-

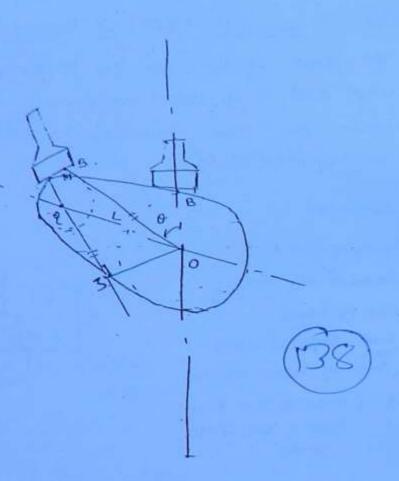
DE [0, Ø]

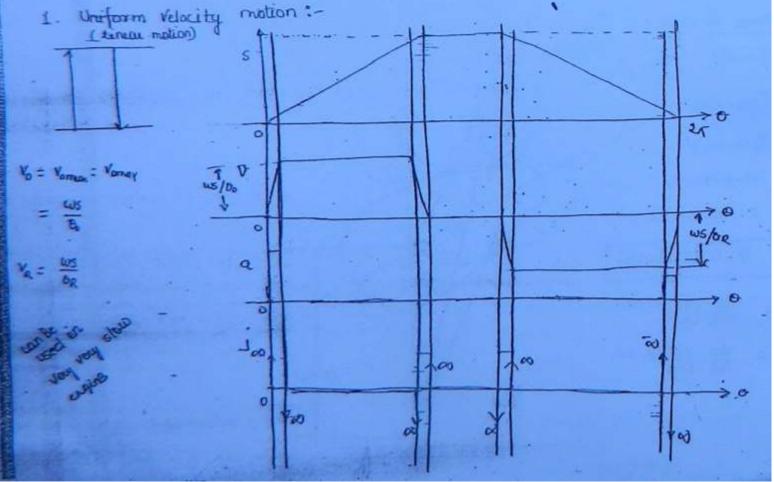
$$a = \frac{dv}{d\delta} \cdot \left(\frac{d\delta}{dt}\right) + \omega$$



$$7 = 88_1 - 98$$
  
 $= 6M - 98$   
 $= 8(2 + 8M - 7_1)$   
 $= (7_2 - 7_1) + 8M$ 

$$\begin{array}{ccc} u dt & \Rightarrow & \theta = \infty \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & \\ & & & \\ & & & \\ & & \\ & & & \\ & & \\ & & \\ & & & \\ & & \\ & & \\ & & & \\ & & \\ & & &$$





Cycloidal Motion :-

$$v_0 = \frac{dr_0}{d\theta} \cdot \frac{d\theta}{dt}$$

$$= 5\omega \left[ \frac{1}{\delta_0} - \frac{1}{2\Lambda} \omega \left( \frac{9\chi \delta}{\delta_0} \right), \frac{2\Lambda}{\delta_0} \right]$$

$$= \frac{5\omega}{\delta_0} \left[ 1 - \omega \frac{2\chi \delta}{\delta_0} \right]$$

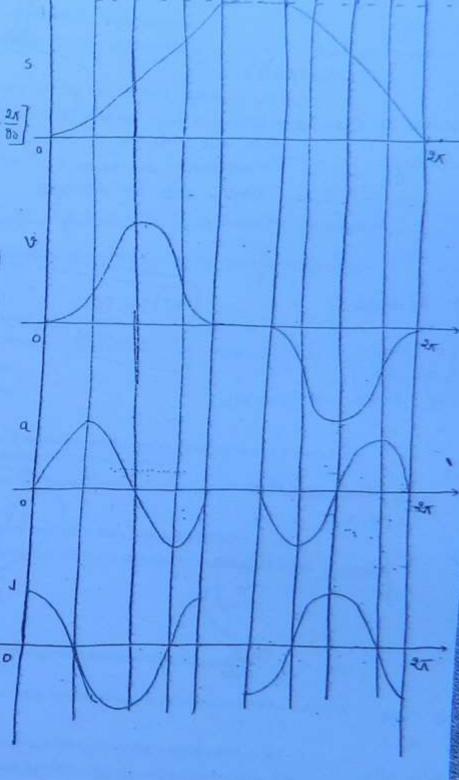
$$a_{o} = \frac{dv_{o}}{d\theta} \cdot \frac{d\theta}{dt}$$

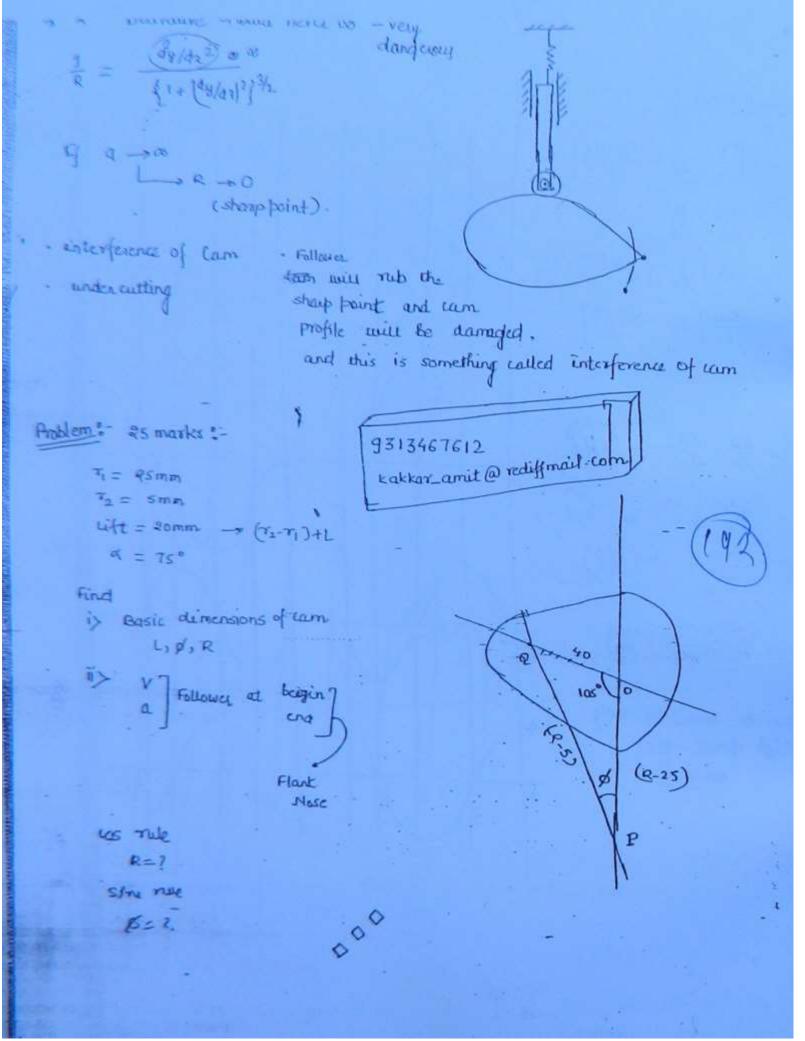
$$= \frac{s\omega^{2}}{\theta_{o}} \left[ \sin \frac{2\pi\theta}{\theta_{o}} \cdot \frac{2\pi}{\theta_{o}} \right]$$

$$= \frac{2\pi s\omega^{2}}{\theta_{o}^{2}} \cdot \sin \left( \frac{2\pi\theta}{\theta_{o}} \right)$$

$$\mathcal{I} = \frac{4\pi^2 \omega^3 5}{60^3} \cdot \omega \left(\frac{200}{60}\right)$$

high speed - [Ic engine]





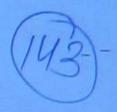
- 24. Assertion (A): UPSC is an independent organisation.
  - Reason (R): UPSC is created by an act of Parliament.

Codes :

- (A) Both (A) and (R) are true and (R) is the correct explanation of (A)
- (B) Both (A) and (R) are true but (R) is not the correct explanation of (A)
- (C) (A) is true but (R) is false
- (D) (A) is false but (R) is true
- 25. Assertion (A): Lok Sabha cannot make any change in the taxation proposals submitted to it.
  - Reasoning (R): All taxation proposals are prepared in the executive organ of the government.

Codes:

- (A) Both (A) and (R) are correct and (R) is the correct explanation of (A)
- (B) Both (A) and (R) are correct, and (R) is not the correct explanation of (A)
- (C) (A) is true but (R) is false
- (D) (A) is false but (R) is true



- Assertion (A): The position of council of ministers in a state is similar to that of the council of ministers at the union level.
  - Reason (R): The position of the Chief Minister is similar to that of the Prime Minister.

    Codes:
  - (A) Both (A) and (R) are correct and (R) is the correct explanation of (A)
  - (B) Both (A) and (R) are correct, but (R) is not the correct explanation of (A)
  - (C) (A) is true but (R) is false
  - (D) (A) is false but (R) is true
- Assertion (A): The crux of Development administration is societal change in tune with modernity.
  - Reason (R): Its focus is essentially on indigenous development which is sustainable.

    Codes:
  - Codes:
  - (A) Both (A) and (R) are correct and (R) is the correct explanation of (A)
  - (B) -Both (A) and (R) are correct, but (R) is not the correct explanation of (A)
  - (C) (A) is true but (R) is false
  - (D) (A) is false but (R) is true